



Technische
Universität
Braunschweig



Model-based Testing – Part 1

Prof. Dr.-Ing. Ina Schaefer – SFM:ESM - Bertinoro - 18 June 2014

Contents

Part 1: Foundations of Testing and Model-based Testing

- **Fundamental Notions and Concepts of Software Testing**
- Model-based Testing
- A Theoretical Perspective on Model-based Testing

Part 2: Model-based Testing of Software Product Lines

- Sample-based Software Product Line Testing
- Regression-based Software Product Line Testing
- Variability-Aware Software Product Line Testing

Testing is ...

[...] “an activity performed for evaluating product quality, and for improving it, by identifying defects and problems.”

[...] “the process of operating a system or component under specified conditions, observing or recording the results, and making an evaluation or some aspects of the system or component.”

[IEEE, 1990]

Software Testing is ...

[...] “an activity for checking or measuring some quality characteristics of an executing object by performing experiments in a controlled way w.r.t. a specification.”

[Tretmans, 1999]

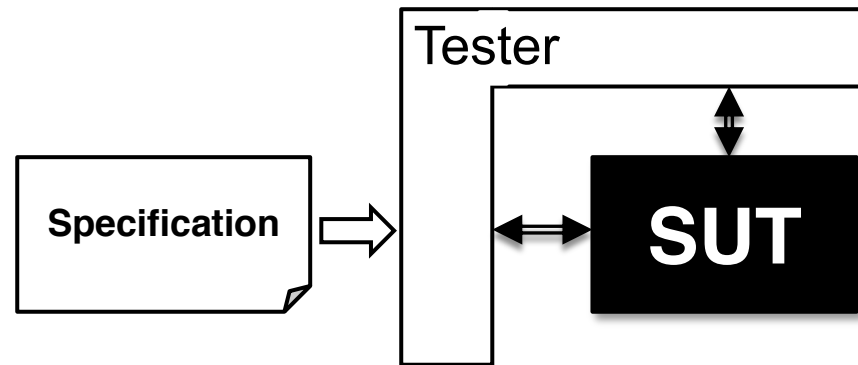
Factors for Testing

test aims

- functional
- non-functional
- robustness
- performance
- reliability

test methods

- static testing:
e.g. systematic code inspections
- dynamic testing:
e.g. experimental executions



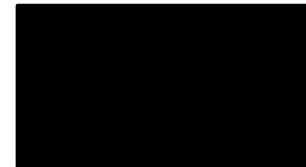
Factors for Testing

test scale

- unit tests
- component tests
- integration tests
- system tests

information base

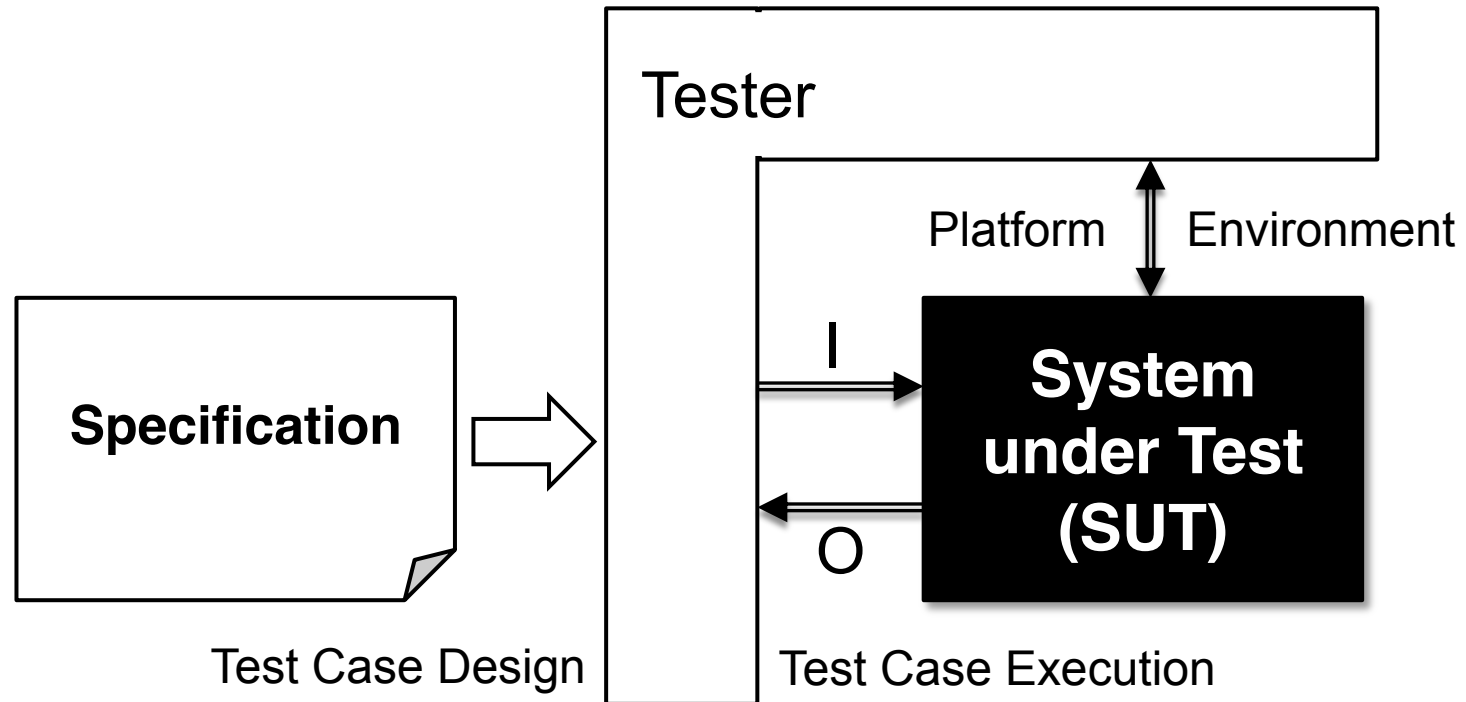
- black box
- white box
- grey box



```
public class foo {  
    p boolean bar() {  
        if(weekend) {  
            return true;  
        } else {  
            return false;  
        }  
    }  
}
```

```
public class foo {  
    public boolean bar() {  
        if(weekend) {  
            return true;  
        } else {  
            return false;  
        }  
    }  
}
```

Dynamic Software Testing



Failure, Fault, Error

failure - A failure is an undesired observable behavior of an SUT.

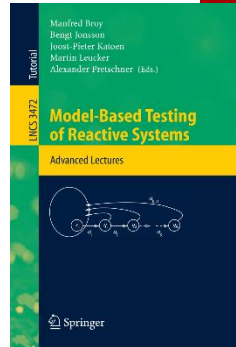
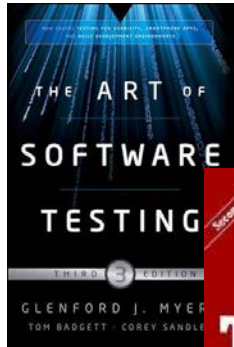
fault – A fault in an SUT causes a failure during test execution.

error – An error is a logical flaw in the implementation.

The Notion of Software Testing used in this Lecture

Software testing consists of the **dynamic validation/verification** of the behavior of a program on a **finite set of test cases** suitably selected from the usually infinite **input domain** against the **expected** behavior.

Some Literature on Software Testing



- Myers, G.J.: The Art of Software Testing. Wiley, New York
- Beizer, B.: Software Testing Techniques. Van Nostrand Reinhold Co.
- Broy, M. (ed.): Model-Based Testing of Reactive Systems: Advanced Lectures. Springer, Berlin Heidelberg
- IEEE: Standard Glossary of Software Engineering Technology 610.121990
- IEEE: Standard for Software Test Documentation Std. 829-2008
- van Veenendaal, E. (ed.): ISTQB Glossary of Testing Terms 2.2. Glossary Working Party



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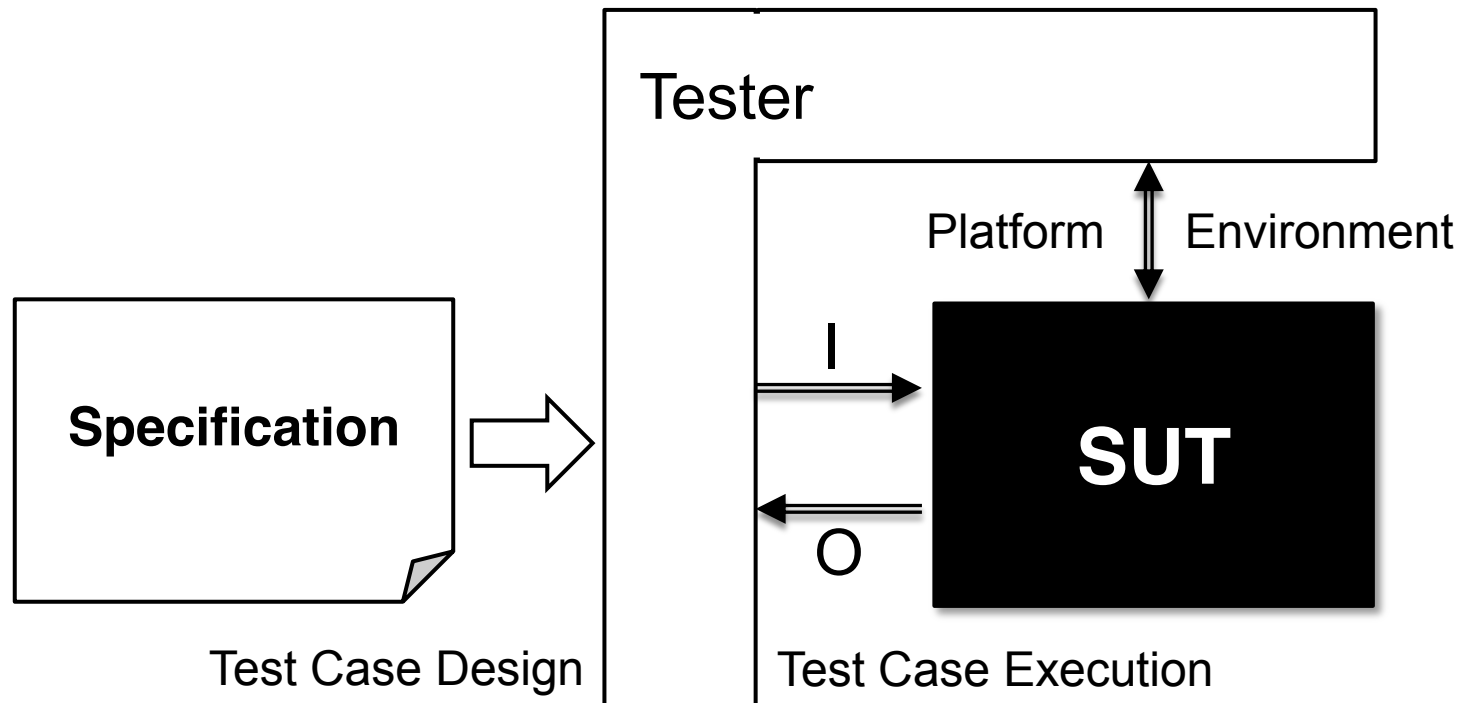
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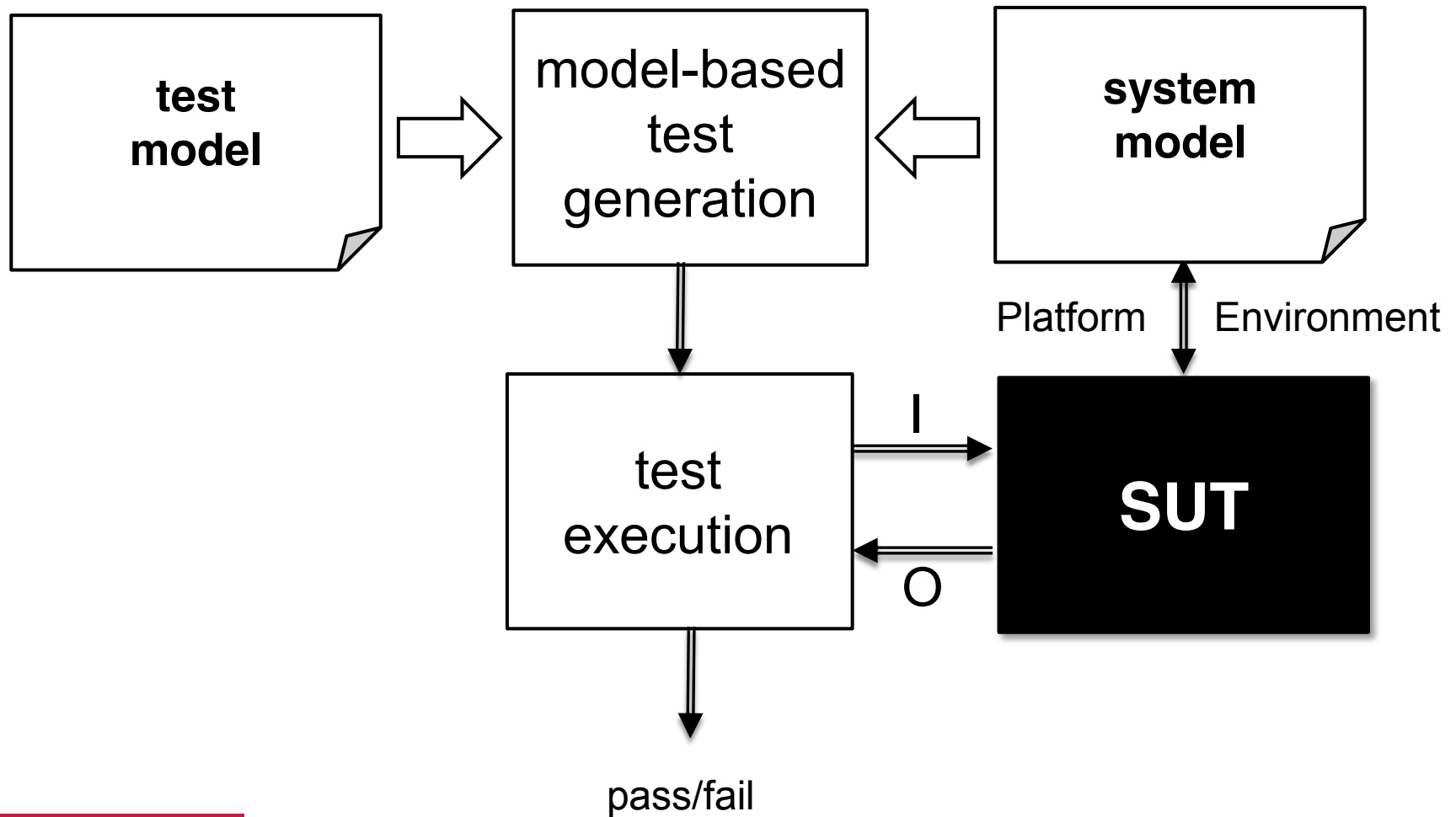
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Model-Based Testing

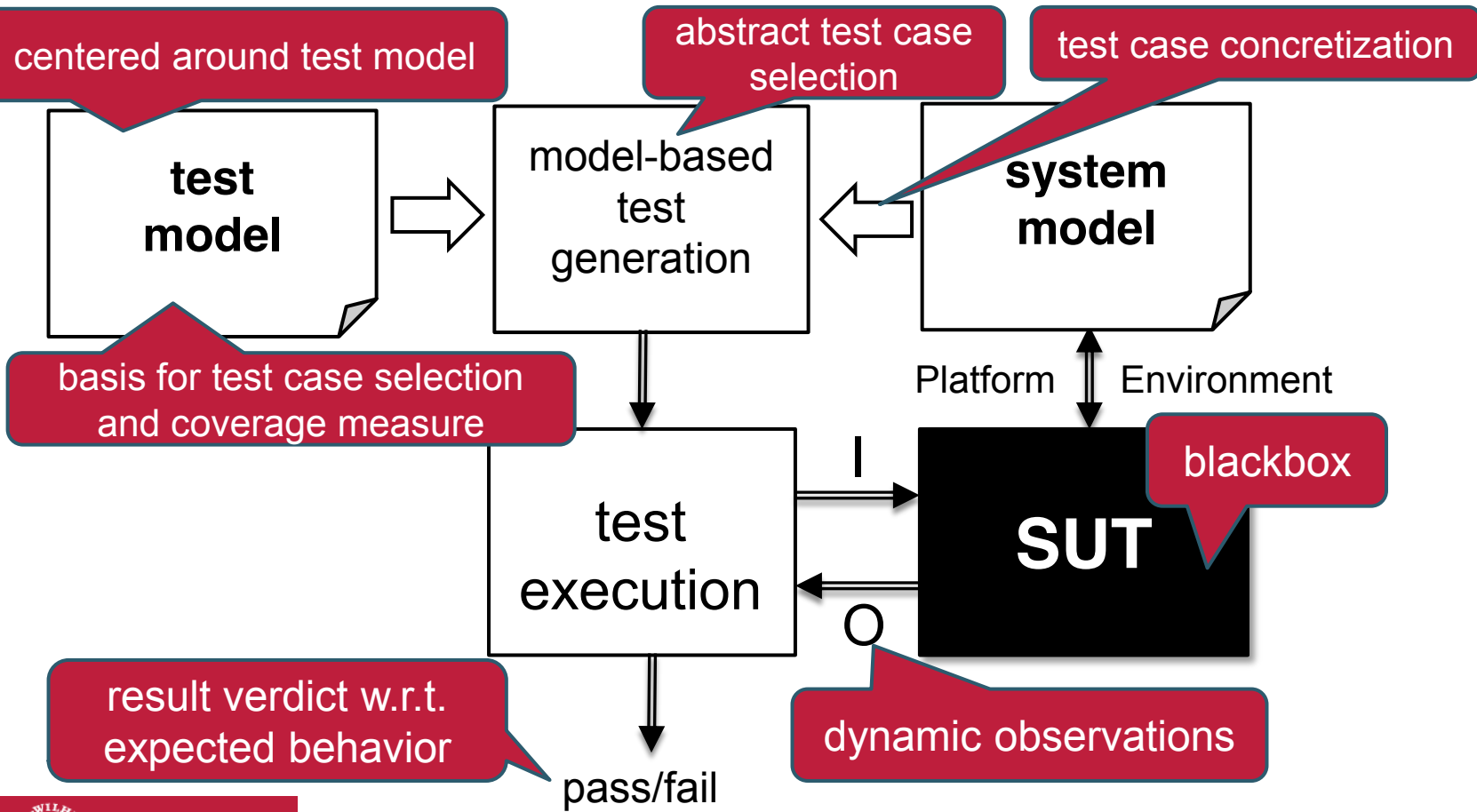


Model-Based Testing



Model-based Testing

Model-based testing is the automation of black box tests.



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MBT from a Theoretical Point of View

implementation relation: $i \simeq s$ with *implemetation* i and *formal behavioral specification* s

preorder relation: $i \sqsubseteq s$ implementation shows at most the behaviors of the specification

intentional conformance: $i \text{ conforms } s :\Leftrightarrow \llbracket i \rrbracket \subseteq \llbracket s \rrbracket$
where $\llbracket \cdot \rrbracket$ defines sets of all observable behaviors

extensional conformance: $i \text{ conforms } s :\Leftrightarrow \forall u \in \mathcal{U} : \text{obs}(u, i) \approx \text{obs}(u, s)$
where \mathcal{U} defines sets of all observers

Model-based I/O Conformance Testing

- Proposed by Jan Tretman in the 90's
- Model-based functional conformance testing of systems with reactive, non-deterministic behaviors
- Input, output, and quiescence based testing theory
- Based on I/O labeled transition systems as test models AND implementation models
- Proven sound and exhaustive
- Rich tool support
- Formal basis for many advanced testing frameworks

Testing Concurrent Systems: A Formal Approach

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Abstract. This paper discusses the use of formal methods in testing of concurrent systems. It is argued that formal methods and testing can be mutually profitable and useful. A framework for testing based on formal specifications is presented. This framework is elaborated for labelled transition systems, providing formal definitions of conformance, test execution and test derivation. A test derivation algorithm is given and its tool implementation is briefly discussed.

1 Introduction

During the last decades much theoretical research in computing science has been devoted to formal methods. This research has resulted in many formal languages and in verification techniques, supported by prototype tools, to verify properties of high-level, formal system descriptions. Although these methods are based on sound mathematical theories, there are not many systems developed nowadays for which correctness is completely formally verified using these methods.

On the other hand, the current practice of checking correctness of computing systems is based on a more informal and pragmatic approach. Testing is usually the predominant technique, where an implementation is subjected to a number of tests which have been obtained in an ad-hoc or heuristic manner. A formal, underlying theory for testing is mostly lacking.

The combination of testing and formal methods is not very often made. Sometimes it is claimed that formally verifying computer programs would make testing superfluous, and that, from a formal point of view, testing is inferior as a way of assessing correctness. Also, some people cannot imagine how the practical, operational, and 'dirty-hands' approach of testing could be combined with the mathematical and 'clean' way of verification using formal methods. Moreover, the classical biases against the use of formal verification methods, such as that formal methods are not practical, that they are not applicable to any real system

* This research is supported by the Dutch Technology Foundation STW under project STW TIF4111: *Côte de ReSys* – Conformance Testing of REactive SYStems; URL: <http://fmt.cs.utwente.nl/CdR>.

Jos C.M. Baeten, Sjouke Mauw (Eds.): CONCUR'99, LNCS 1664, pp. 46–67, 1999.
© Springer-Verlag Berlin Heidelberg 1999

Running Example



Beverage vending machine

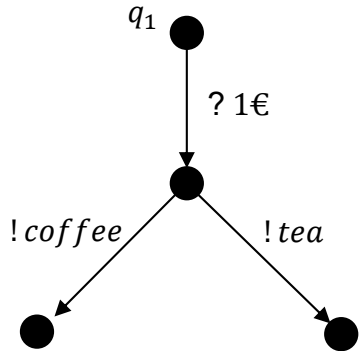
- Input actions
 - $I = \{1\text{€}, 2\text{€}\}$
 - Transitions labels prefixed with “?”
- Output actions
 - $U = \{coffee, tea\}$
 - Transition labels prefixed with “!”

I/O-Labeled Transition Systems

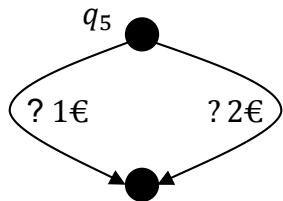
I/O Labeled Transitionsystem: $(Q, q_0, I, U, \rightarrow)$, where

- Q is a countable set of states,
- $q_0 \in Q$ is the initial state,
- I and U are disjoint sets of input actions and output actions, and
- $\rightarrow \subseteq Q \times \text{act} \times Q$ is a labeled transition relation.

LTS - Examples



$$Tr(q_1) = \{? 1\text{€}, ? 1\text{€} \cdot !coffee, ? 1\text{€} \cdot !tea\}$$



$$Tr(q_5) = \{? 1\text{€}, ? 2\text{€}\}$$

LTS Trace Semantics

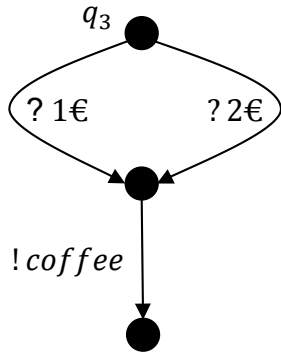
Each computation refers to some path

$$q_0 \xrightarrow{\mu_1} s_1 \xrightarrow{\mu_2} s_2 \xrightarrow{\mu_3} \dots \xrightarrow{\mu_{n-1}} s_{n-1} \xrightarrow{\mu_n} s_n$$

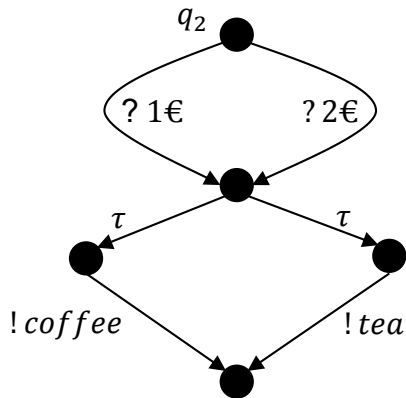
The behavior of a computation is defined by a trace

$$\text{trace } \sigma = \mu_1 \mu_2 \dots \mu_n \in \text{act}^*$$

LTS - Examples



$$Tr(q_3) = \{? 1\text{€}, ? 2\text{€}, ? 1\text{€} \cdot !coffee, ? 2\text{€} \cdot !coffee\}$$



$$Tr(q_2) = \{? 1\text{€}, ? 2\text{€}, ? 1\text{€} \cdot !coffee, ? 1\text{€} \cdot !tea, ? 2\text{€} \cdot !coffee, ? 2\text{€} \cdot !tea\}$$

LTS Trace Notations

Let \mathbf{s} be an **I/O** \mathcal{LTS} , $\mu_i \in I \cup U \cup \{\tau\}$ and $a_i \in I \cup U$



$$s \xrightarrow{\mu_1 \cdots \mu_n} s' := \exists s_0, \dots, s_n : s = s_0 \xrightarrow{\mu_1} s_1 \xrightarrow{\mu_2} \cdots \xrightarrow{\mu_n} s_n = s'$$

$$s \xrightarrow{\mu_1 \cdots \mu_n} := \exists s' : s = s \xrightarrow{\mu_1 \cdots \mu_n} s'$$

$$\neg s \xrightarrow{\mu_1 \cdots \mu_n} := \nexists s' : s \xrightarrow{\mu_1 \cdots \mu_n} s'$$

LTS Trace Notations

Let **s** be an **I/O LTS**, $\mu_i \in I \cup U \cup \{\tau\}$ and $a_i \in I \cup U$

$$s \xRightarrow{\epsilon} s' := s = s' \text{ or } s \xrightarrow{\tau \cdots \tau} s'$$

$$s \xRightarrow{a} s' := \exists s_1, s_2 : s \xRightarrow{\epsilon} s_1 \xrightarrow{a} s_2 \xRightarrow{\epsilon} s'$$

$$s \xRightarrow{a_1 \cdots a_n} s' := \exists s_0, \dots, s_n : s = s_0 \xRightarrow{a_1} s_1 \xRightarrow{a_2} \dots \xRightarrow{a_n} s_n = s'$$

LTS Trace Notations

Let **s** be an **I/O LTS**, $\sigma \in (I \cup U)^*$

$$s \xRightarrow{\sigma} := \exists s' : \exists s' : s \xRightarrow{\sigma} s'$$

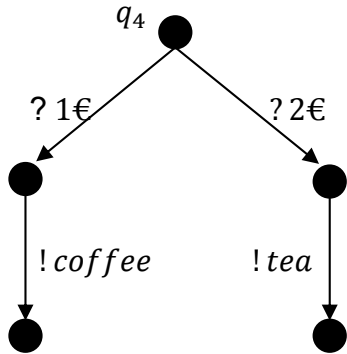
$$\neg s \xRightarrow{\sigma} := \nexists s' : s \xRightarrow{\sigma} s'$$

LTS Trace Notations

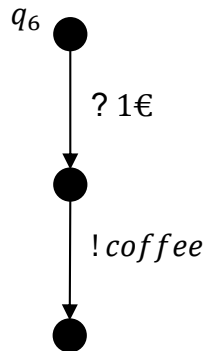
The set of traces in an \mathcal{LTS} is defined as

$$Tr(s) := \{\sigma \in (I \cup U)^* \mid \exists s' \in Q : q_0 \xRightarrow{\sigma} s'\}.$$

LTS - Examples

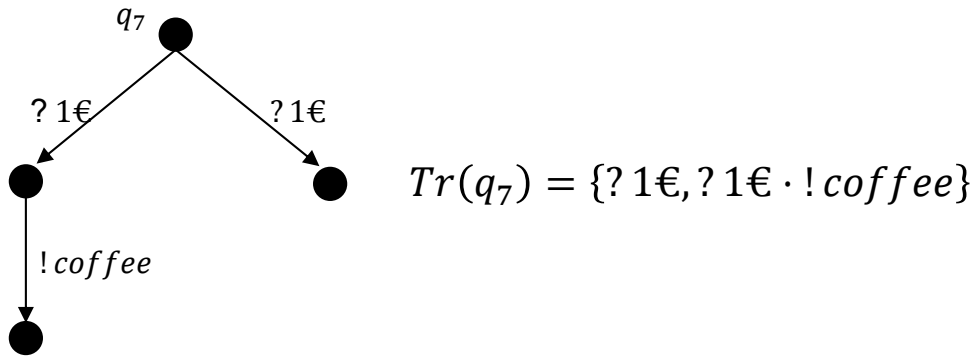


$$Tr(q_4) = \{? 1\text{€}, ? 2\text{€}, ? 1\text{€} \cdot !coffee, ? 2\text{€} \cdot !tea\}$$



$$Tr(q_6) = \{? 1\text{€}, ? 1\text{€} \cdot !coffee\}$$

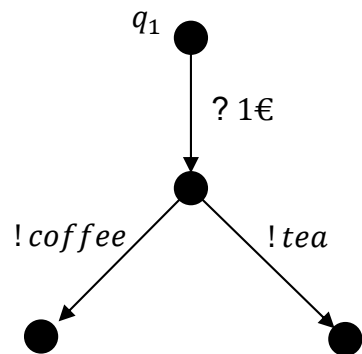
LTS - Examples



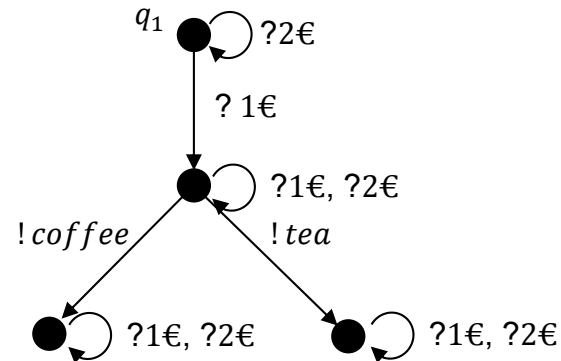
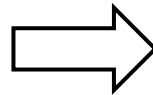
Input-Enabled Transition Systems

An \mathcal{LTS} is (weak) input-enabled iff for every state $s \in Q$ with $q_0 \Rightarrow^* s$ and for all $a \in I$ it holds that $s \xRightarrow{a}$.

Input Completion - Example



Not input-enabled LTS



Input-enabled LTS

A First Attempt: Conformance as Trace Inclusion

$$i \text{ conforms } s :\Leftrightarrow Tr(i) \subseteq Tr(s)$$

Solution: explicit notion of quiescent behavior

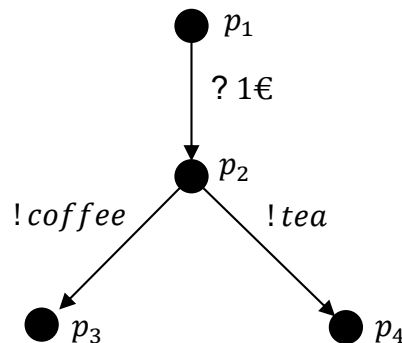
- Fails to refuse trivial implementations q_8 ●
- Fails to take the asymmetric nature of \mathcal{LTS} traces with I/O actions into account

Solution: distinguish input and output behaviors in traces

Some Auxiliary Definitions: Init Sets

Let s be an \mathcal{LTS} , $p \in Q$, $P \subseteq Q$ and $\sigma \in (I \cup U)^*$.

$$init(p) := \{\mu \in (I \cup U) \mid p \xrightarrow{\mu}\}$$

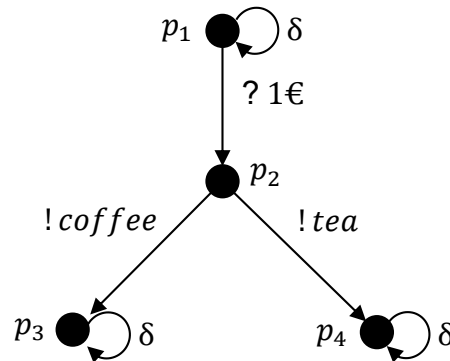


$$\begin{aligned} init(p_1) &:= \{? 1\text{€}\} \\ init(p_2) &:= \{! coffee, ! tea\} \\ init(p_3) &:= \{ \} \\ init(p_4) &:= \{ \} \end{aligned}$$

Some Auxiliary Definitions: Quiescent States

Let s be an \mathcal{LTS} , $p \in Q$, $P \subseteq Q$ and $\sigma \in (I \cup U)^*$.

p is **quiescent**, denoted $\delta(p)$, iff $\text{init}(p) \subseteq I$



$\text{init}(p_1) := \{? 1\text{€}\}$

$\text{init}(p_2) := \{! \text{coffee}, ! \text{tea}\}$

$\text{init}(p_3) := \{ \}$

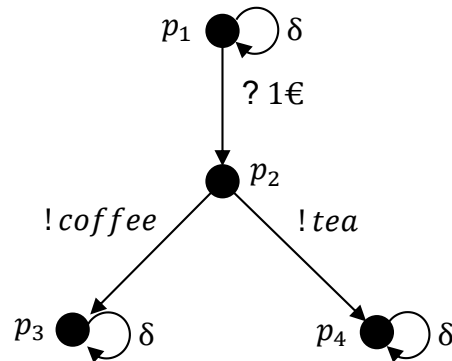
$\text{init}(p_4) := \{ \}$

$I = \{? 1\text{€}, ? 2\text{€}\}$

Some Auxiliary Definitions: After Sets

Let s be an \mathcal{LTS} , $p \in Q$, $P \subseteq Q$ and $\sigma \in (I \cup U)^*$.

$$p \text{ after } \sigma := \{q \in U \mid p \xRightarrow{\sigma} q\}$$



$$U = \{!coffee, !tea\}$$

$$p_2 \text{ after } !coffee = \{p_3\}$$

$$p_2 \text{ after } !tea = \{p_4\}$$

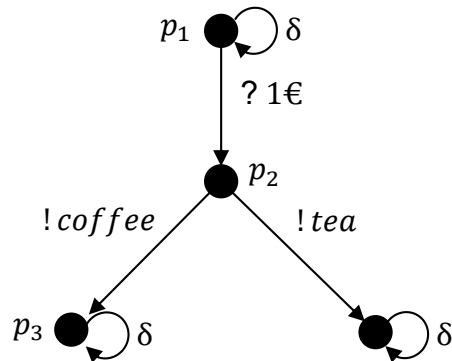
$$p_1 \text{ after } ? 2€ = \{ \}$$

$$p_4 \text{ after } !tea = \{ \}$$

Some Auxiliary Definitions: Out Sets

Let s be an \mathcal{LTS} , $p \in Q$, $P \subseteq Q$ and $\sigma \in (I \cup U)^*$.

$$out(P) := \{\mu \in U \mid \exists p \in P : p \xrightarrow{\mu}\} \cup \{\delta \mid \exists p \in P : \delta(p)\}$$



$$P = p \text{ after } \sigma$$

$$P_1 = \{p_1 \text{ after } \delta\} = \{p_1\}$$

$$P_2 = \{p_2 \text{ after } !tea, p_2 \text{ after } !coffee\} = \{p_3, p_4\}$$

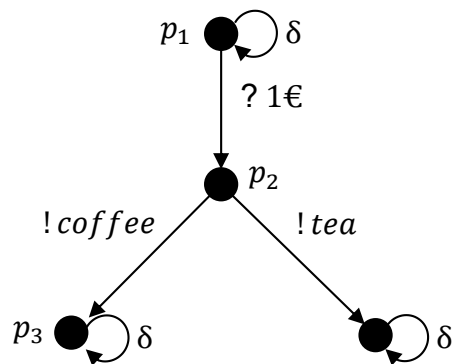
$$P_3 = \{p_3 \text{ after } \delta\} = \{p_3\}$$

$$P_4 = \{p_4 \text{ after } \delta\} = \{p_4\}$$

Some Auxiliary Definitions: After-Out Sets

Let s be an \mathcal{LTS} , $p \in Q$, $P \subseteq Q$ and $\sigma \in (I \cup U)^*$.

$$out(P) := \{\mu \in U \mid \exists p \in P : p \xrightarrow{\mu}\} \cup \{\delta \mid \exists p \in P : \delta(p)\}$$



$$P_1 = \{p_1 \text{ after } \delta\} = \{p_1\}$$

$$P_2 = \{p_2 \text{ after } !tea, p_2 \text{ after } !coffee\} = \{p_3, p_4\}$$

$$P_3 = \{p_3 \text{ after } \delta\} = \{p_3\}$$

$$P_4 = \{p_4 \text{ after } \delta\} = \{p_4\}$$

$$Out(P_1) = \{\delta\}$$

$$Out(P_2) = \{!tea, !coffee\}$$

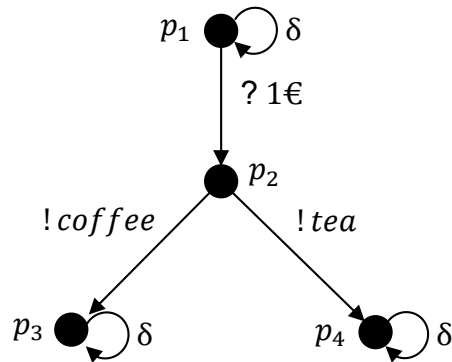
$$Out(P_3) = \{\delta\}$$

$$Out(P_4) = \{\delta\}$$

Some Auxiliary Definitions: Suspension Traces

Let s be an \mathcal{LTS} , $p \in Q$, $P \subseteq Q$ and $\sigma \in (I \cup U)^*$.

$$\text{Straces}(p) := \{\sigma' \in (I_S \cup U_S \cup \{\delta\})^* \mid p \xRightarrow{\sigma'} q \text{ where } q \xrightarrow{\delta} q \text{ iff } \delta(p)\}$$



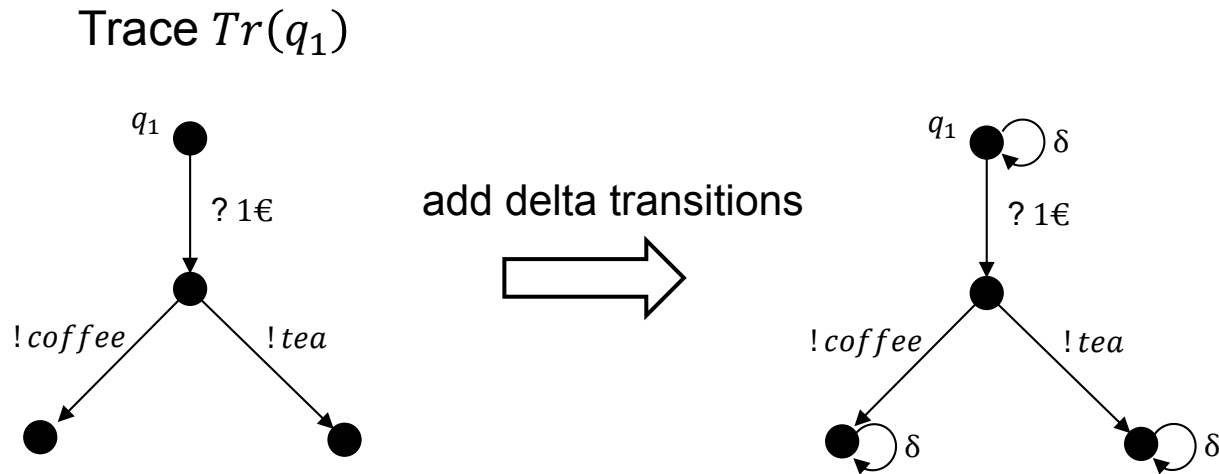
$$\text{Straces}(p_1) = \{\delta, ?1\text{€}, ?1\text{€} \cdot !\text{coffee}, ?1\text{€} \cdot !\text{tea}, \\ ?1\text{€} \cdot !\text{coffee} \cdot \delta, ?1\text{€} \cdot !\text{tea} \cdot \delta\}$$

$$\text{Straces}(p_2) = \{! \text{coffee}, ! \text{tea}, ! \text{coffee} \cdot \delta, \text{tea} \cdot \delta\}$$

$$\text{Straces}(p_3) = \{\delta\}$$

$$\text{Straces}(p_4) = \{\delta\}$$

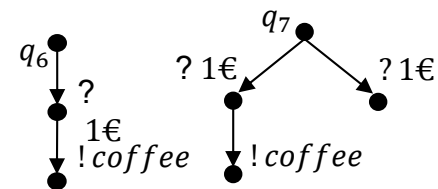
Quiescent Behaviors



$$Straces(q_1) = \{\delta, ? 1\epsilon, \delta \cdot ? 1\epsilon, ? 1\epsilon \cdot !coffee, ? 1\epsilon \cdot !coffee \cdot \delta, \dots\}$$

Allows to discriminate (non-)behaviors

- $? 1\epsilon \cdot \delta \notin Straces(q_6)$, whereas $? 1\epsilon \cdot \delta \in Straces(q_7)$
- ...



Second Attempt: I/O Conformance (IOR)

Class of I/O LTS labeled over I and U

Subclass of input-enabled I/O LTS

Let $s \in \mathcal{LTS}(I \cup U)$ and $i \in \mathcal{JOTS}(I, U)$.

$$i \text{ ior } s \iff \forall \sigma \in act_{\delta}^* : out(i \text{ after } \sigma) \subseteq out(s \text{ after } \sigma)$$

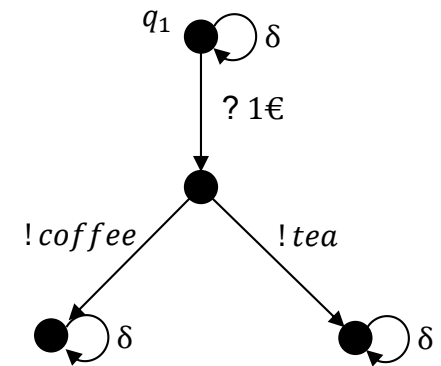
$$i \text{ ior } s \iff Straces(i) \subseteq Straces(s)$$

Example

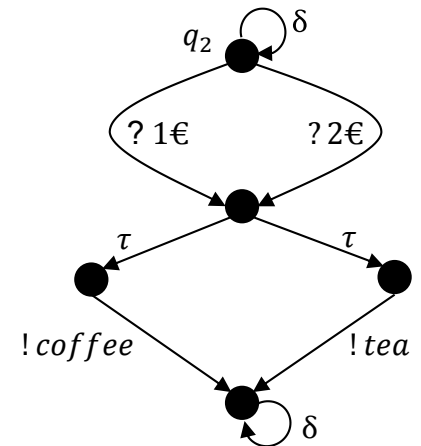
- Assume δ -transitions in the \mathcal{LTS} example
- Possible environmental stimulations are $\sigma = ?1\text{€}$ and $\sigma' = ?2\text{€}$
- Investigate the observable behavior

Example

$\text{out}(q_1 \text{ after } \sigma) = \{\text{coffee}, \text{tea}\}, \text{out}(q_1 \text{ after } \sigma') = \{\}$

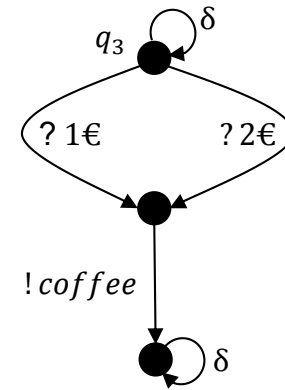


$\text{out}(q_2 \text{ after } \sigma) = \{\text{coffee}, \text{tea}\}, \text{out}(q_2 \text{ after } \sigma') = \{\text{coffee}, \text{tea}\}$

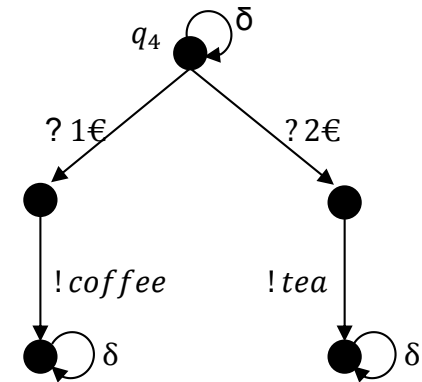


Example

$out(q_3 \text{ after } \sigma) = \{coffee\}, out(q_3 \text{ after } \sigma') = \{coffee\}$

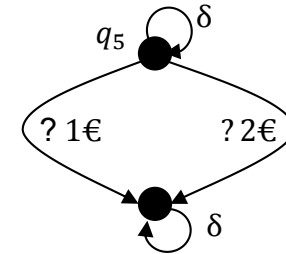


$out(q_4 \text{ after } \sigma) = \{coffee\}, out(q_4 \text{ after } \sigma') = \{tea\}$

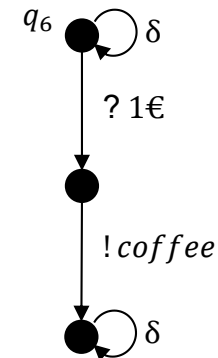


Example

$out(q_5 \text{ after } \sigma) = \{\delta\}, out(q_5 \text{ after } \sigma') = \{\delta\}$

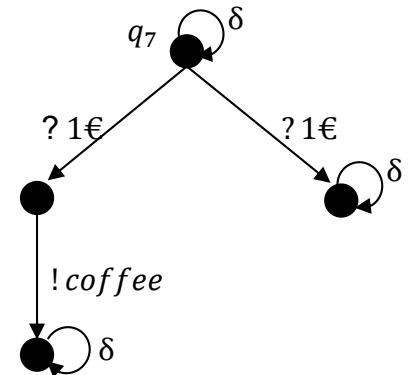


$out(q_6 \text{ after } \sigma) = \{coffee\}, out(q_6 \text{ after } \sigma') = \{\}$

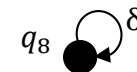


Example

$out(q_7 \text{ after } \sigma) = \{coffee, \delta\}, out(q_7 \text{ after } \sigma') = \{\}$



$out(q_8 \text{ after } \sigma) = \{\}, out(q_8 \text{ after } \sigma') = \{\}$



Second Attempt: I/O Conformance (IOR)

Let $s \in \mathcal{LTS}(I \cup U)$ and $i \in \mathcal{JOTS}(I, U)$.

Problem: this is quite a lot!

$$i \text{ ior } s \iff \forall \sigma \in \text{act}_\delta^* : \text{out}(i \text{ after } \sigma) \subseteq \text{out}(s \text{ after } \sigma)$$

$$i \text{ ior } s \iff \text{Straces}(i) \subseteq \text{Straces}(s)$$

Third Attempt: IOCO

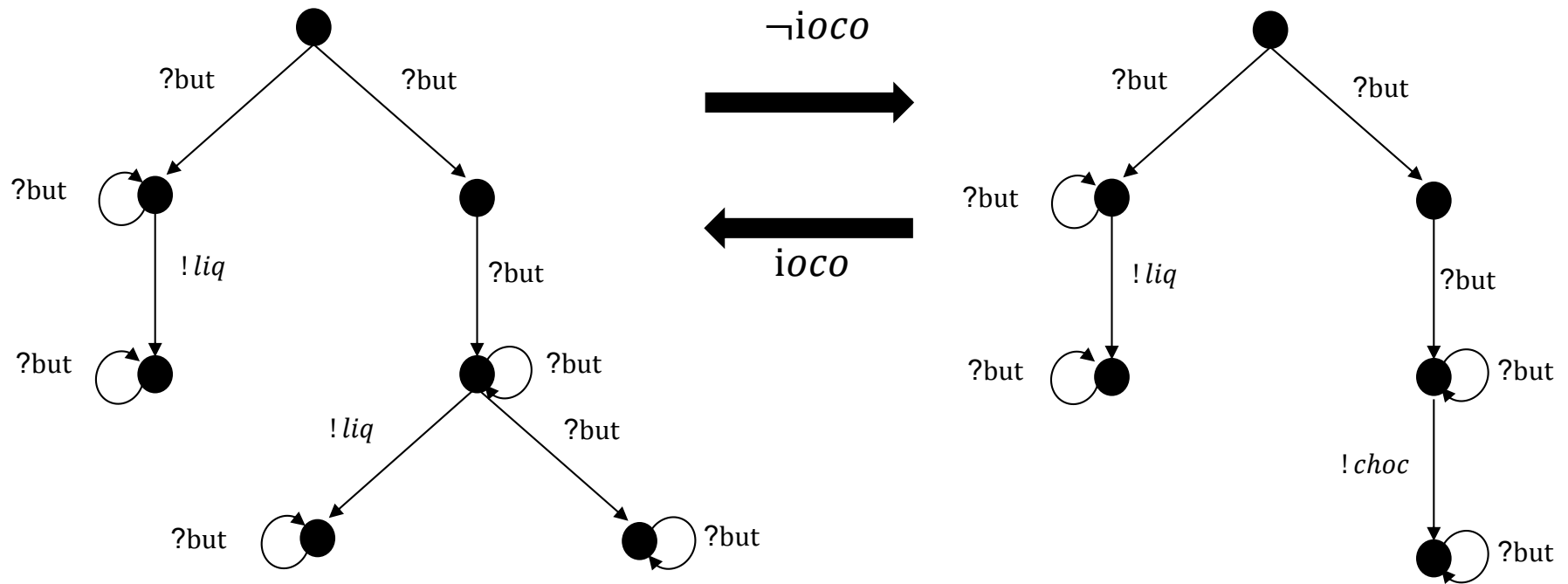
Let $s \in \mathcal{LTS}(I \cup U)$ and $i \in \mathcal{IOTS}(I, U)$.

Focus on specified behaviors only

$$i \textbf{ ioco } s \iff \forall \sigma \in \textit{Straces}(s) : \textit{out}(i \textbf{ after } \sigma) \subseteq \textit{out}(s \textbf{ after } \sigma)$$

$$\textbf{ior} \subset \textbf{ioco}$$

Example [Tretmans, 1999]



Third Attempt: IOCO

Let $s \in \mathcal{LTS}(I \cup U)$ and $i \in \mathcal{IOTS}(I, U)$.

Still infinite in case of loops

$$i \text{ *ioco* } s \iff \forall \sigma \in \text{Straces}(s) : \text{out}(i \text{ *after* } \sigma) \subseteq \text{out}(s \text{ *after* } \sigma)$$

$$\text{ior} \subset \text{ioco}$$

- The set of suspension traces under consideration is restricted to sub sets $\mathcal{F} \subseteq act_\delta^*$
- The restricted ioco relation is denoted as

$$i \text{ ioco}_{\mathcal{F}} s :\Leftrightarrow \forall \sigma \in \mathcal{F} : out(i \text{ after } \sigma) \subseteq out(s \text{ after } \sigma) ,$$

where $ior = ioco_{act_\delta^*}$ and $ior = ioco_{Straces(s)}$ holds.

This is still an intentional characterization of conformance. How to prove this by testing?

$$i \text{ passes } t :\Leftrightarrow \text{obs}(i, t) \approx \text{obs}(s, t)$$

Observers (testers) are characterized by a finite sets of test cases they perform on an SUT

Test Cases

A test case t is an I/O labeled \mathcal{LTS} such that

- t is deterministic and has a finite set of traces,
- Q contains terminal states **pass** and **fail** with $init(\mathbf{pass}) = init(\mathbf{fail}) = \emptyset$,
- for each non-terminal state $q \in Q$ either
 1. $init(q) = \{a\}$ for $a \in I$ or
 2. $init(q) = U \cup \{\theta\}$holds.

denotes observation of quiescence

By \mathcal{TETS} we denote the subclass of I/O labeled \mathcal{LTS} representing valid test cases t

Example

Test case for specification q_1

Stimulated input

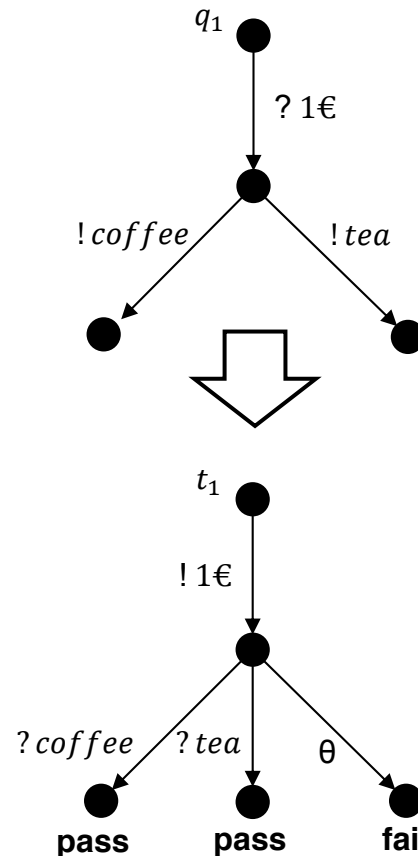
- $!1\text{€}$

Expected output

- *either coffee*
- *or tea*

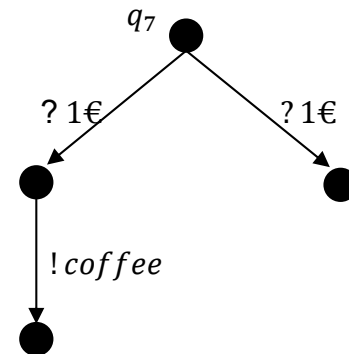
Observable errors

- No output occurs: Θ



Example

Test case for specification q_7



Stimulated input

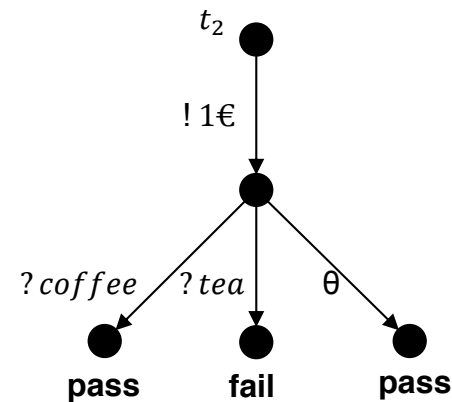
- *!1€*

Expected output

- *coffee*
- no output: Θ

Observable errors

- *tea*



IOCO is correct = sound + exhaustive

Let $s \in \mathcal{LTS}(I \cup U)$, $i \in \mathcal{JOTS}(I \cup U)$ and $\mathcal{F} \subseteq \text{Straces}(s)$

Then it holds that

1. the set \mathcal{TEST} of all derivable test cases is **sound** and
2. the set \mathcal{TEST} of all derivable test cases is **exhaustive**.

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- Variability-Aware Software Product Line Testing

Some Further Readings

- Van der Bijl, M., Rensink, A., Tretmans, J.: Compositional Testing with IOCO, FATES'04. vol. 2931, pp. 86-100, Springer, 2004
- Schmaltz, J., Tretmans, J.: On Conformance Testing for Timed Systems. FMORMATS'08. vol. 5215, pp. 250-164, Springer, 2012
- Van Osch, M.: Hybrid Input-output Conformance and Test Generation. FATES'06. vol. 4262, pp. 70-84, Springer, 2006
-



Technische
Universität
Braunschweig



Model-based Testing – Part 2

Prof. Dr.-Ing. Ina Schaefer – SFM:ESM - Bertinoro - 18 June 2014

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Challenges of Testing variant-rich Software Systems

Observations:

- Complex systems with many interacting functions and features
- Many system variants and versions
- Large rate of changes, in particular in agile development processes

Consequences:

- Increasing testing effort
- Combinatorial explosion during integration and system testing
- Complete re-test in case of changes mostly infeasible



Describing and Managing Variant-rich Systems

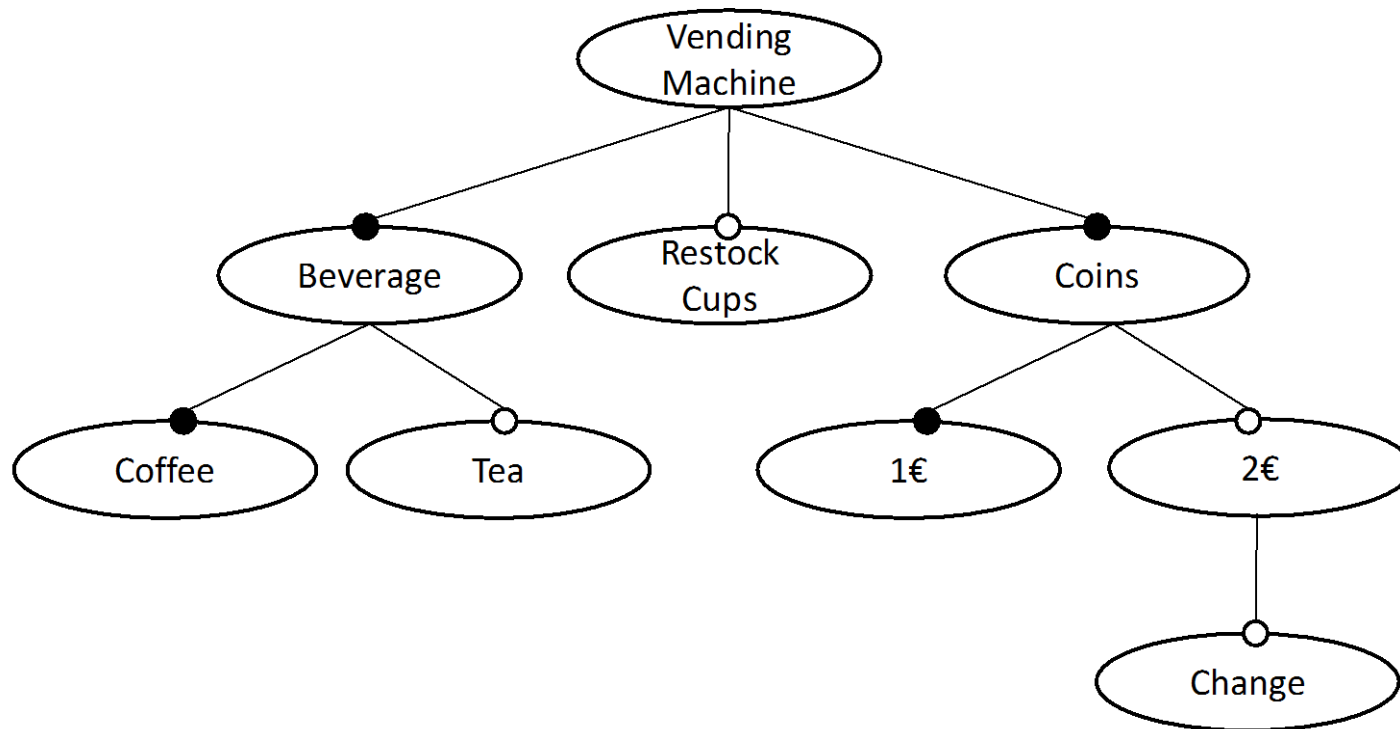
Describing and Managing variant-rich Systems

- Variant-rich systems can be described as **Software Product Lines**.
- **SPLs** are systems, which have commonalities and variabilities between each other.
- A SPL consists of several **features** which are either **mandatory** or **optional**.
- There can be further constraints between features
 - Feature A excludes feature B
 - Feature A requires feature B
 - Feature A OR feature B has to be selected
 -
- How to describe and manage these features and there connections?



Feature Models

- Kang et al. [Kang90] introduced **Feature-Models** as possibility to represent SPLs
- FMs are **tree**-structures, which represent features and their dependencies



Feature Interactions

- A **feature** is a customer-visible product characteristic.
- Each feature in isolation satisfies its specification.
- If features are combined, the single specifications are violated. There are unwanted side effects.

→ **Feature Interaction!**



Example: Combine Fire and Water Alarms



If there is fire, start
sprinkling system.



If there is water, cut the main
water line.

Reasons for Feature Interactions

Intended Feature Interactions:

- Communication via shared variables: one feature writes, another feature reads values.

Unintended Feature Interactions:

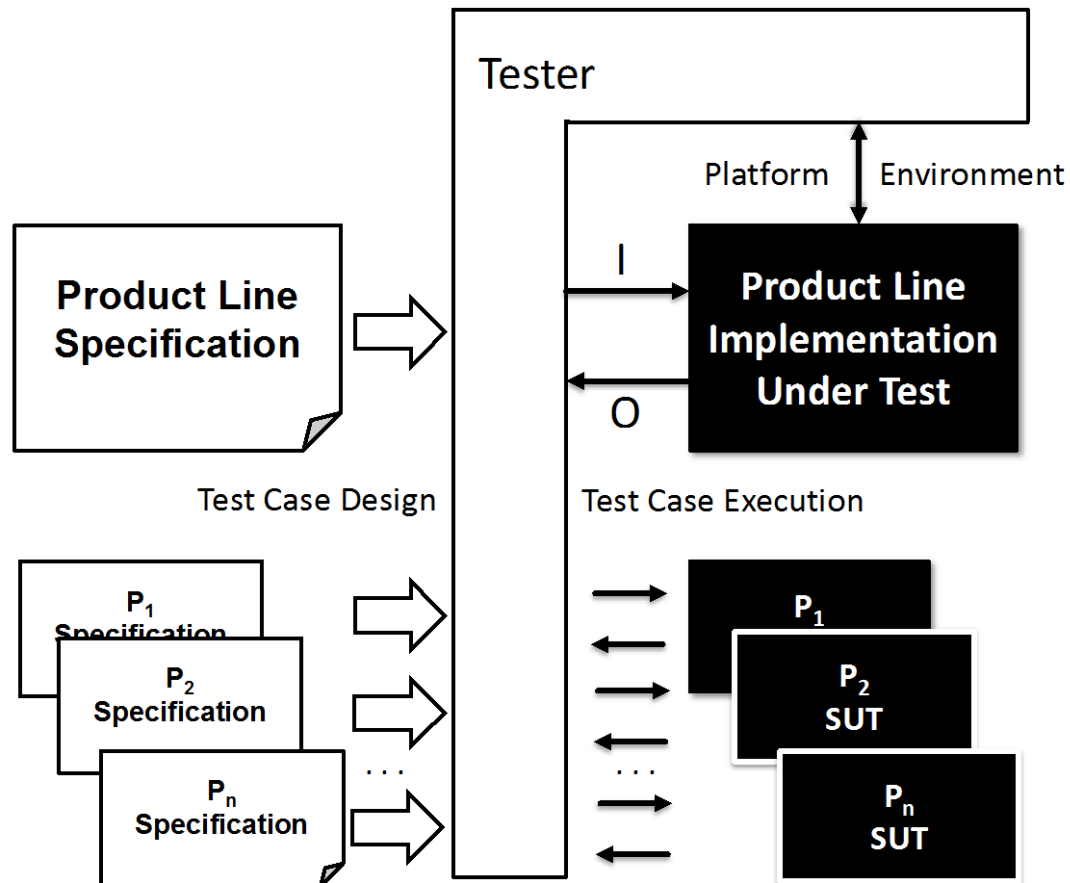
- Non-synchronized write access to shared resources, such as actuators, memory, shared variables, status flags

In general, **uncritical**:

- Shared read access to resources, e.g., sensors

SPL Testing Strategies

Software Product Line Testing



SPL Testing Strategies

Sample-based SPL testing

- Selection of representative subsets from a large set of possible variants

Regression-based SPL Testing:

- Reuse test cases and test results in order to efficiently test the selected variants

Family-based SPL Testing:

- Derive test suite from a 150%-SPL test model

Sample-based SPL Testing

Process of Sample-based SPL Testing

- **Problem:** Number of test cases grows exponentially
- **Solution:** Combinatorial Interaction Testing (CIT)
 1. Create Feature Model
 2. Generate a subset of variants based on the FM, covering relevant combinations of features
 3. Apply single system testing to the selected variants
- Efficiency of t-wise Covering Arrays (CA)
 - 1-wise CA: 50% of all errors
 - 2-wise CA: 75% of all errors
 - 3-wise CA: 95% of all errors



Trade-Off



Set Covering Problem and CAs

- $S = \{a, b, c, d, e\}$ SPL features
- $M = \{\{a, b, c\}, \{b, d\}, \{c, d\}, \{d, e\}\}$ valid product configurations
- What is the optimal Covering Array?
- **Solution:** $L = M_1 + M_4$ minimal CA
- **Precondition:** All valid product configurations already known
 - SAT-problem, which is NP-complete
 - Fortunately, we deal with realistic FMs
- Foundation of pairwise testing

First Solution by Chvátal (1979)

- **Idea of the algorithm:**

1. Set $L = \emptyset$
2. If $M_i = \emptyset, \forall i, i \in \{1, 2, \dots, n\}$ END.
ELSE find M' , where # of uncovered elements is max
3. Add M' to L and replace elements in M_i by $M_i - M'$
4. Goto Step 2



- **Worst Case:** M contains only subsets with different elements
- Best solution not guaranteed
- Adaptation for pairwise CA generation is easy!

Adaptation to FMs and Improvements by the ICPL

```
input : arbitrary FM
output: t-wise covering array

1  S ← all t-tuples
2  while S ≠ ∅ do
3    k ← new and empty configuration
4    counter ← 0
5    foreach tuple p in S do
6      if FM is satisfiable with k ∪ p then
7        k ← k ∪ p
8        S ← S \ {p}
9        counter ← counter + 1
10   end
11 end
12 if counter > 0 then
13   L ← L ∪ (FM satisfy with {k})
14 end
15 if counter < # of features in FM then
16   foreach tuple p in S do
17     if FM not satisfiable with p then
18       S ← S \ {p}
19     end
20   end
21 end
22 end
```



- **Adaptation is still slow in computation!**
- **(Selected) Improvements**
 - Finding core and dead features quickly
 - Early identification of invalid t-sets
 - Parallelization
 - and several more

Vending Machine and ICPL runtimes

- VM has 12 valid variants
- $t = 2$, ICPL calculates CA of size 6
- 50% testing time saved
- ICPL can handle large-scale SPLs
- 2-wise with „normal“ hardware possible
- Easily over 90% variant reduction

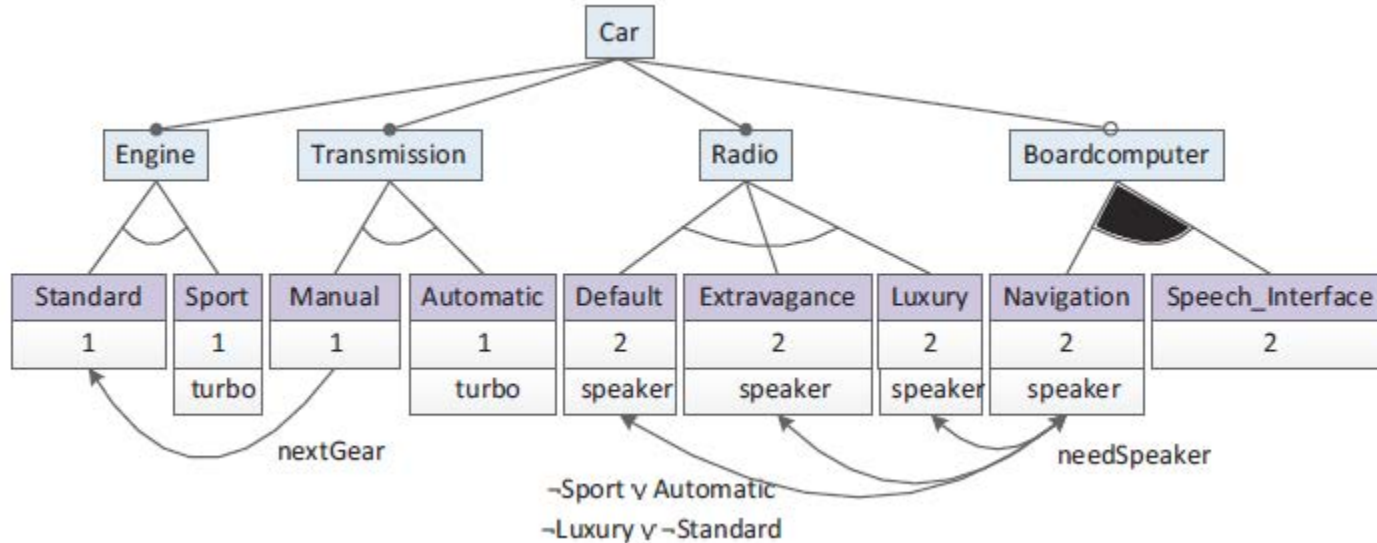
Feature\Product	0	1	2	3	4	5
Coffee	X	X	X	X	X	X
Beverage	X	X	X	X	X	X
2€		X	X	X	X	
Change		X			X	
Tea		X	X			X
Restock Cups		X		X		X
1€	X	X	X	X	X	X
Coins	X	X	X	X	X	X
Vending Machine	X	X	X	X	X	X

- Even with ICPL: Calculation time can be several hours

Feature Model	Features	Constraints	2-wise size	2-wise time (s)
2.6.28.6-icse11.dimacs	6,888	187,193	480	33,702
freebsd-icse11.dimacs	1,396	17,352	77	240
ecos-icse11.dimacs	1,244	2,768	63	185
Eshop-fm.xml	287	22	21	5

Feature Annotations for More Efficient Combinatorics

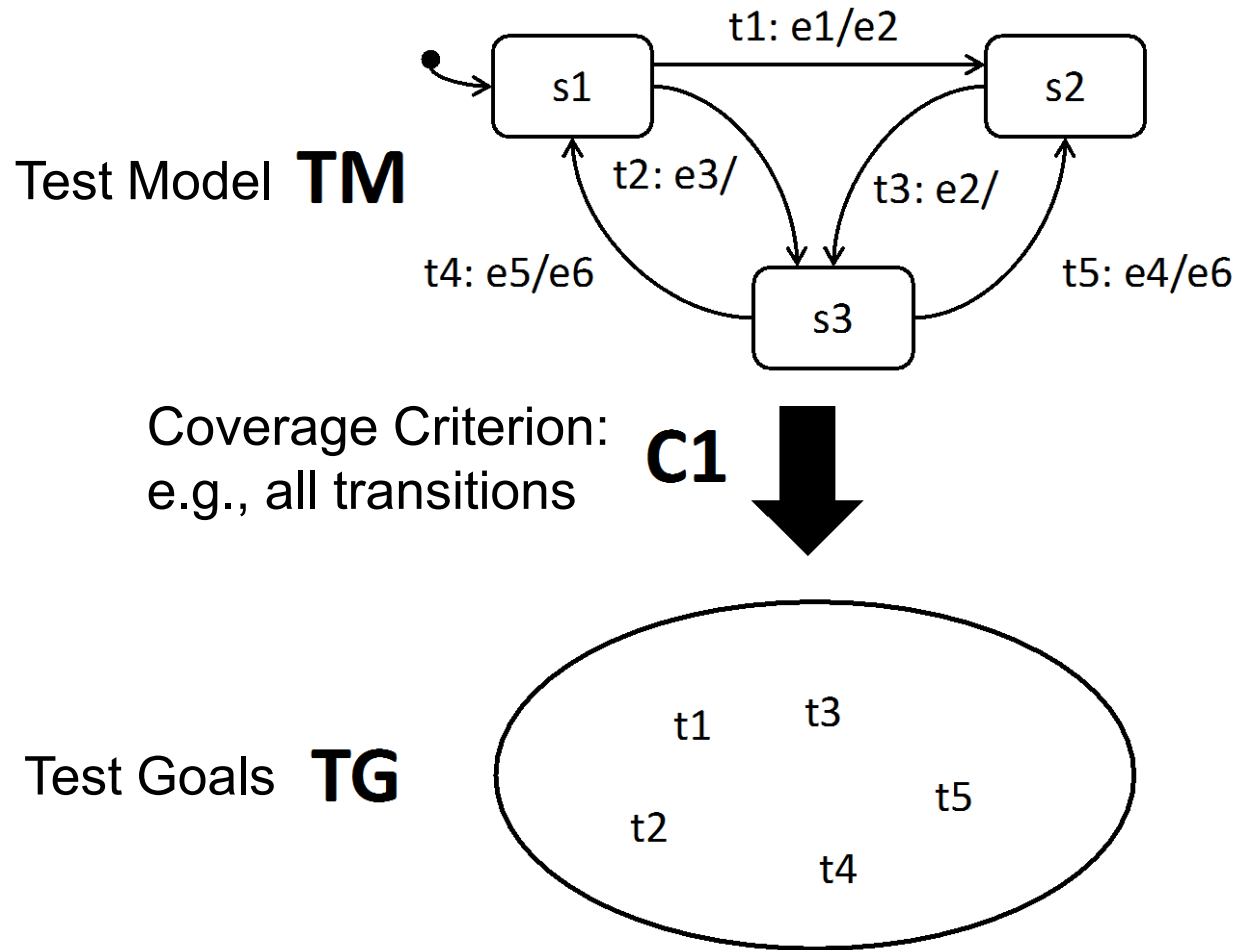
- Annotate features with **shared resources**, **communication links**, **testing priorities**
- Use additional information for combinatorial testing
- **Consequence**: Even lesser variants to test and shorter computation time



Kowal, M., Schulze, S., Schaefer, I.: Towards Efficient SPL Testing by Variant Reduction. In: VariComp. pp. 1–6. ACM (2013)

Regression-based SPL Testing

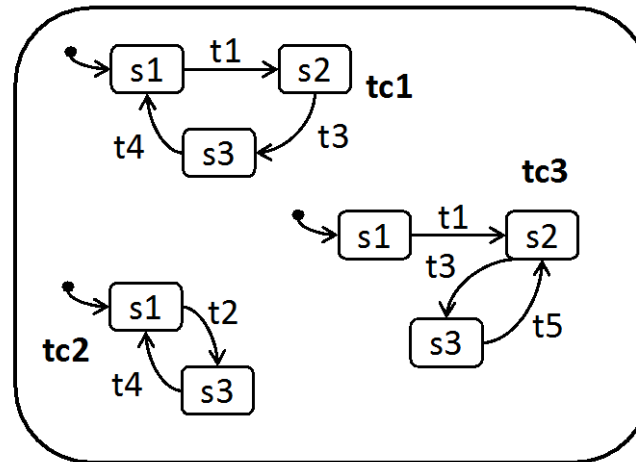
Model-based Testing - Procedure



Model-based Testing – Procedure (2)

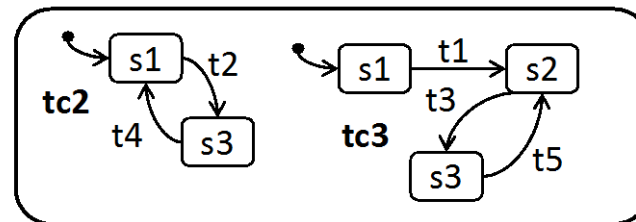
Test Case Generation

Test Suite **TS**

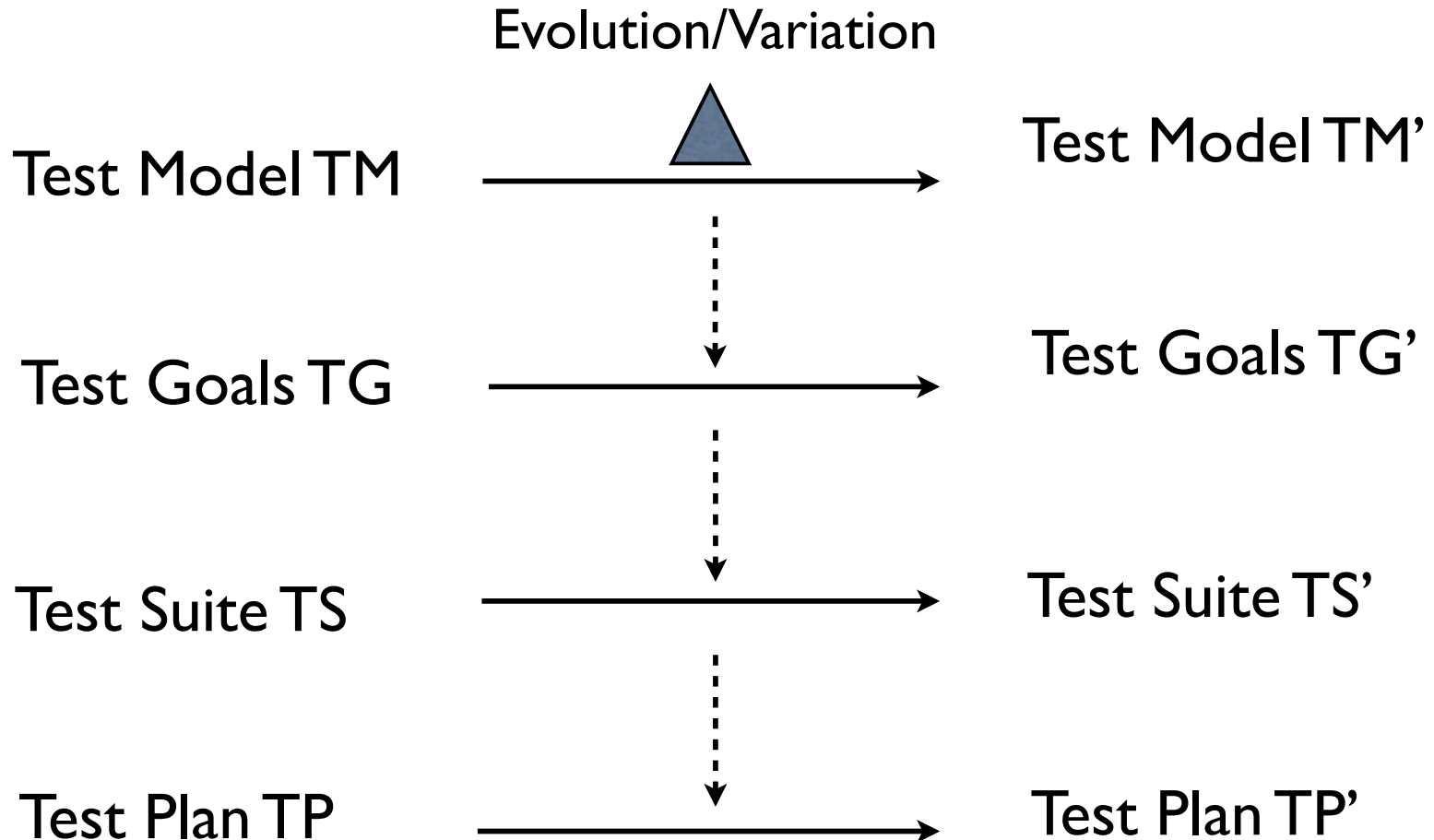


Test Selection

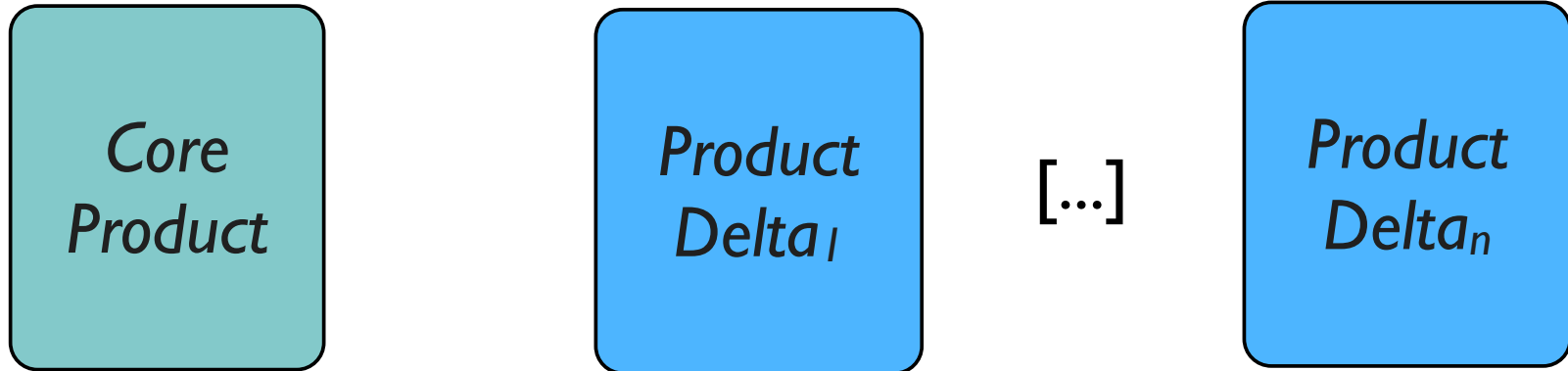
Test Plan **TP**



Incremental Model-based Testing



Delta-Modeling of Variant-Rich Systems



- Product for valid feature configuration.
- Developed with Standard Techniques
- Modifications of Core Product.
- Application conditions over product features.
- Partial ordering for conflict resolution.

Delta-Modeling - Background

Instances of Delta-Languages:

- Software architectures (Delta-MontiArc)
- Programming languages (Delta-Java)
- Modeling languages (Delta-Simulink, Delta-State Machines, Deltarx)

Advantages of Delta-Modeling:

- Modular and flexible description of change
- Intuitively understandable and well-structured
- Traceability of changes and extensions
- Support for proactive, reactive and extractive SPLE



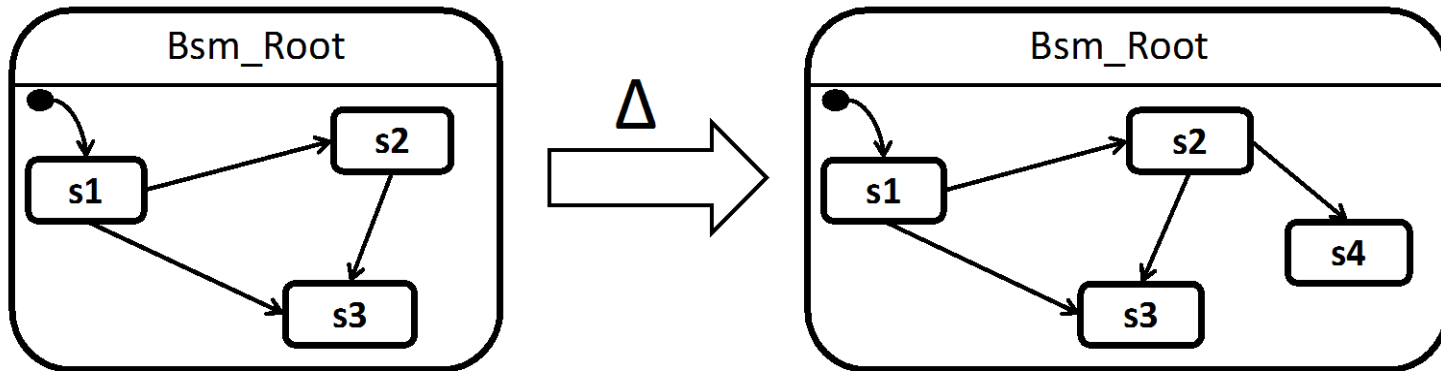
Delta-oriented Testing approaches

- Based on delta languages and modeling techniques, different testing approaches can be defined [Lity13]
- **Goal:** Reduce regression testing effort by only testing differences between products and not every product as a whole
- **Deltas on variable test-models:**
 - Statemachines
 - Architectures
 - Activity Diagrams
- **Deltas on requirements** in natural language

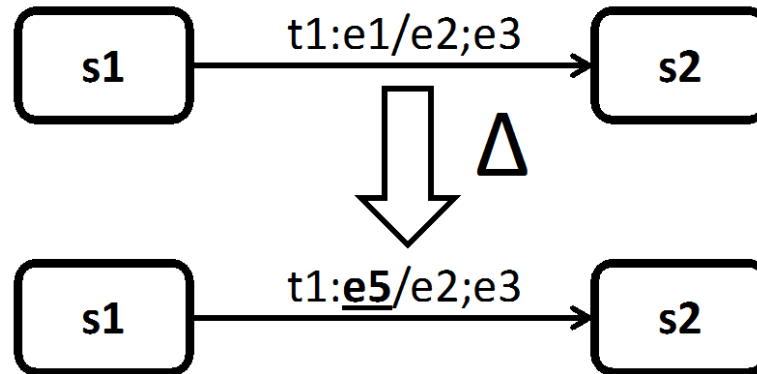


Delta-oriented Test Models (Examples)

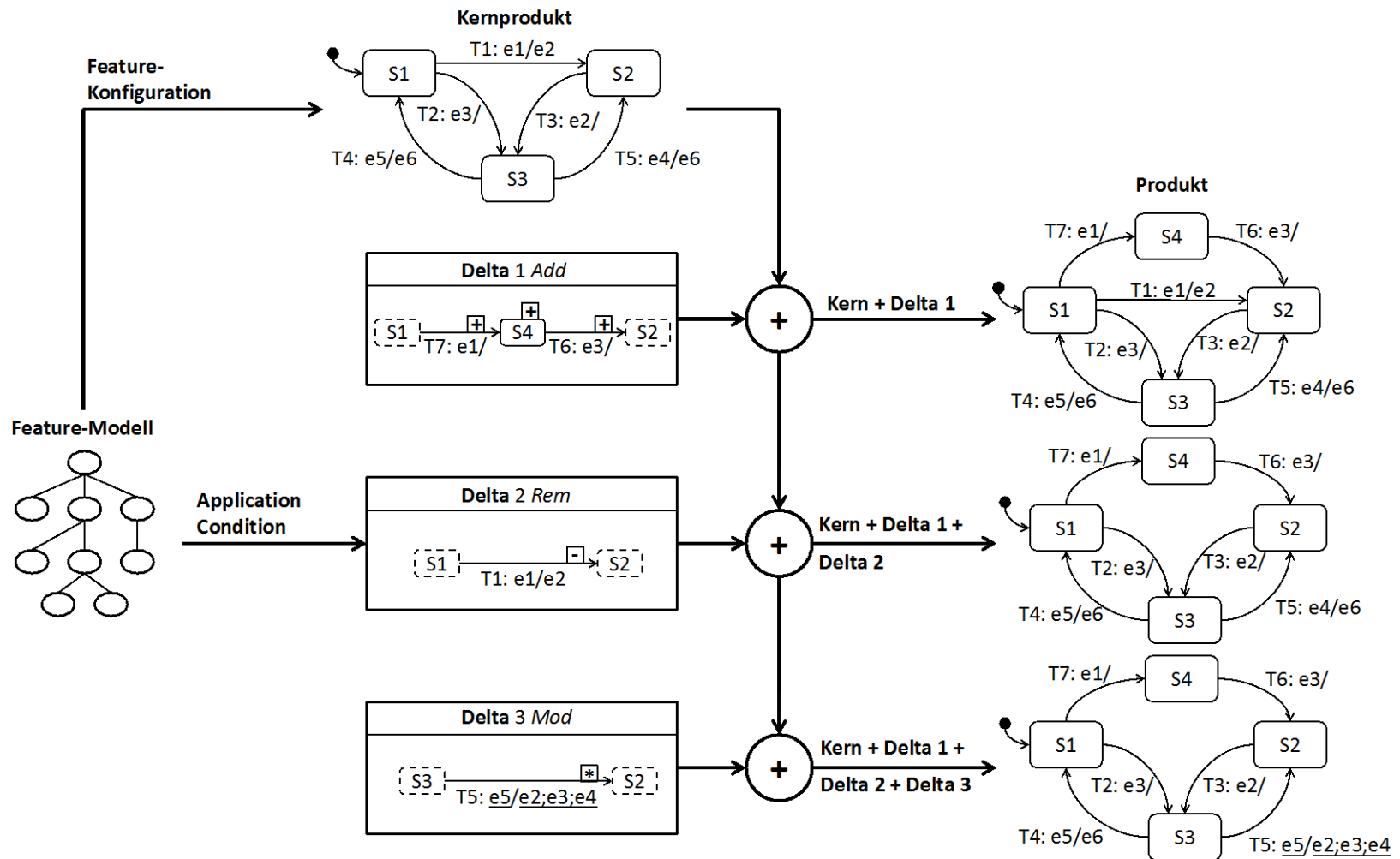
Adding a state to a State Machine:



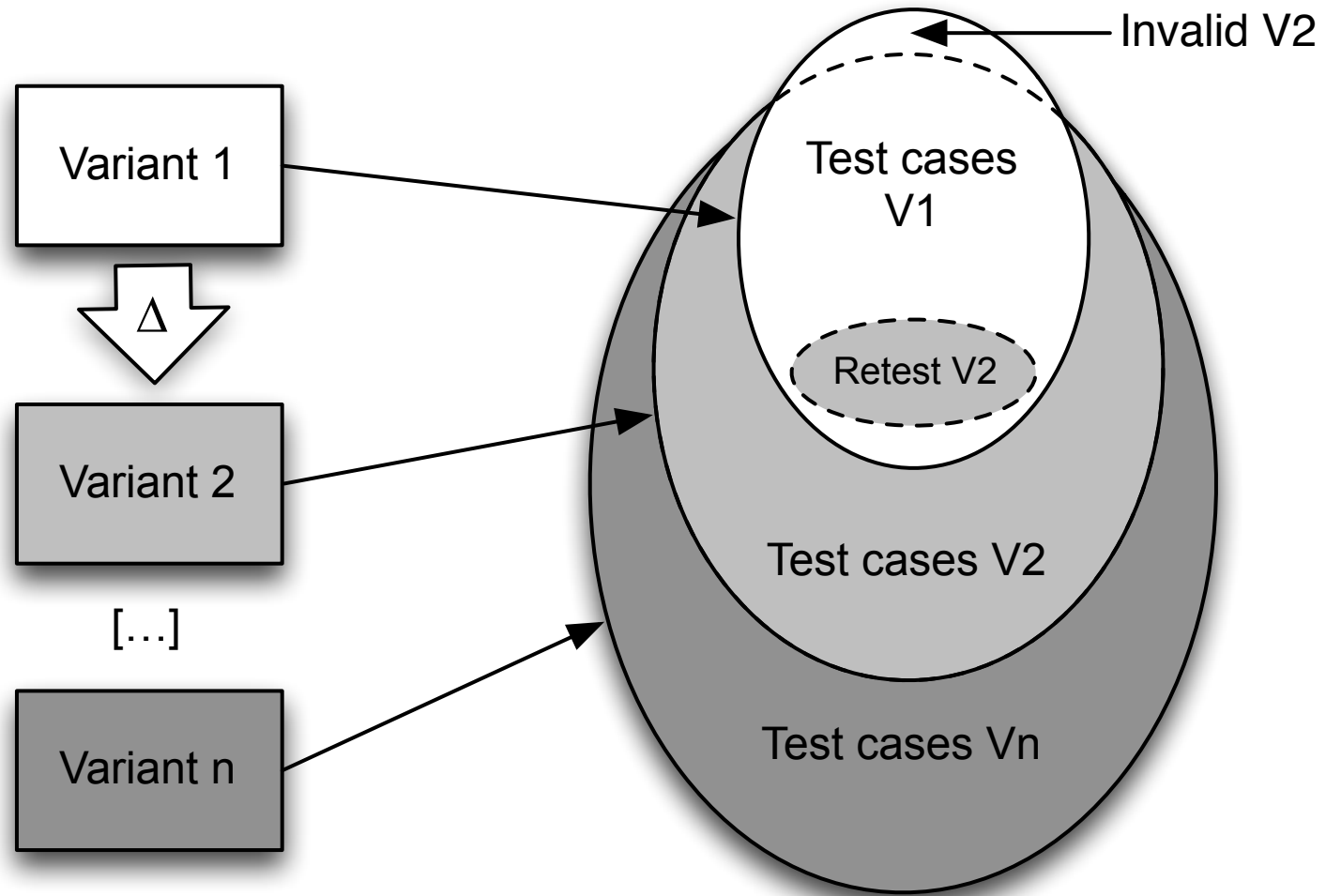
Changing the transition labels:



Delta-oriented Test Modeling



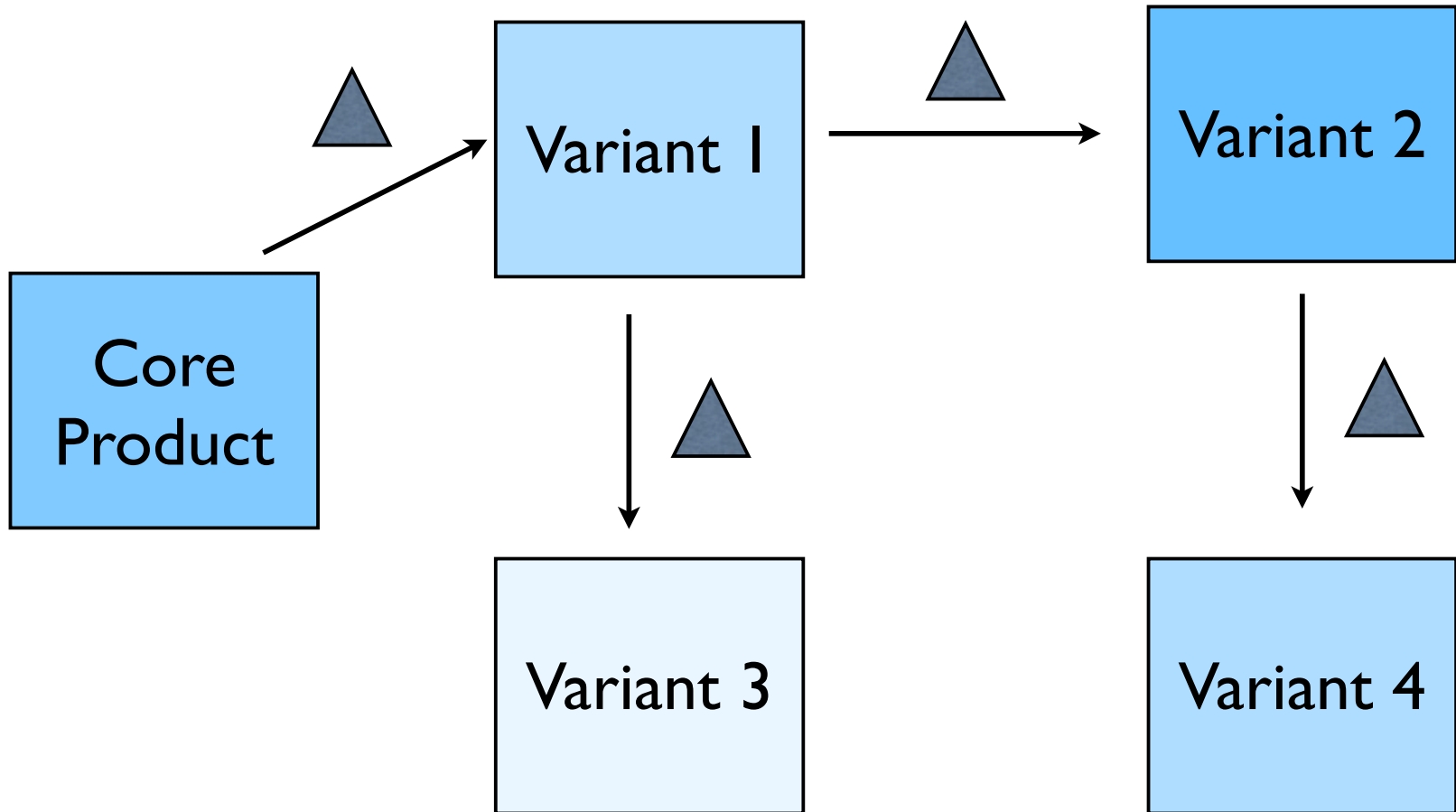
Classification of Test Cases by Delta-Analysis



Delta Testing - Procedure

0. Fully test first product variant
1. Generate test cases for subsequent variants
 - Still valid and reuseable test cases?
 - Invalid test cases?
 - New test cases?
1. Selection of test cases by delta analysis:
 - Always test new test cases
 - Select subset of reuseable test cases for re-test
2. Optionally minimize resulting test suite by redundancy elimination

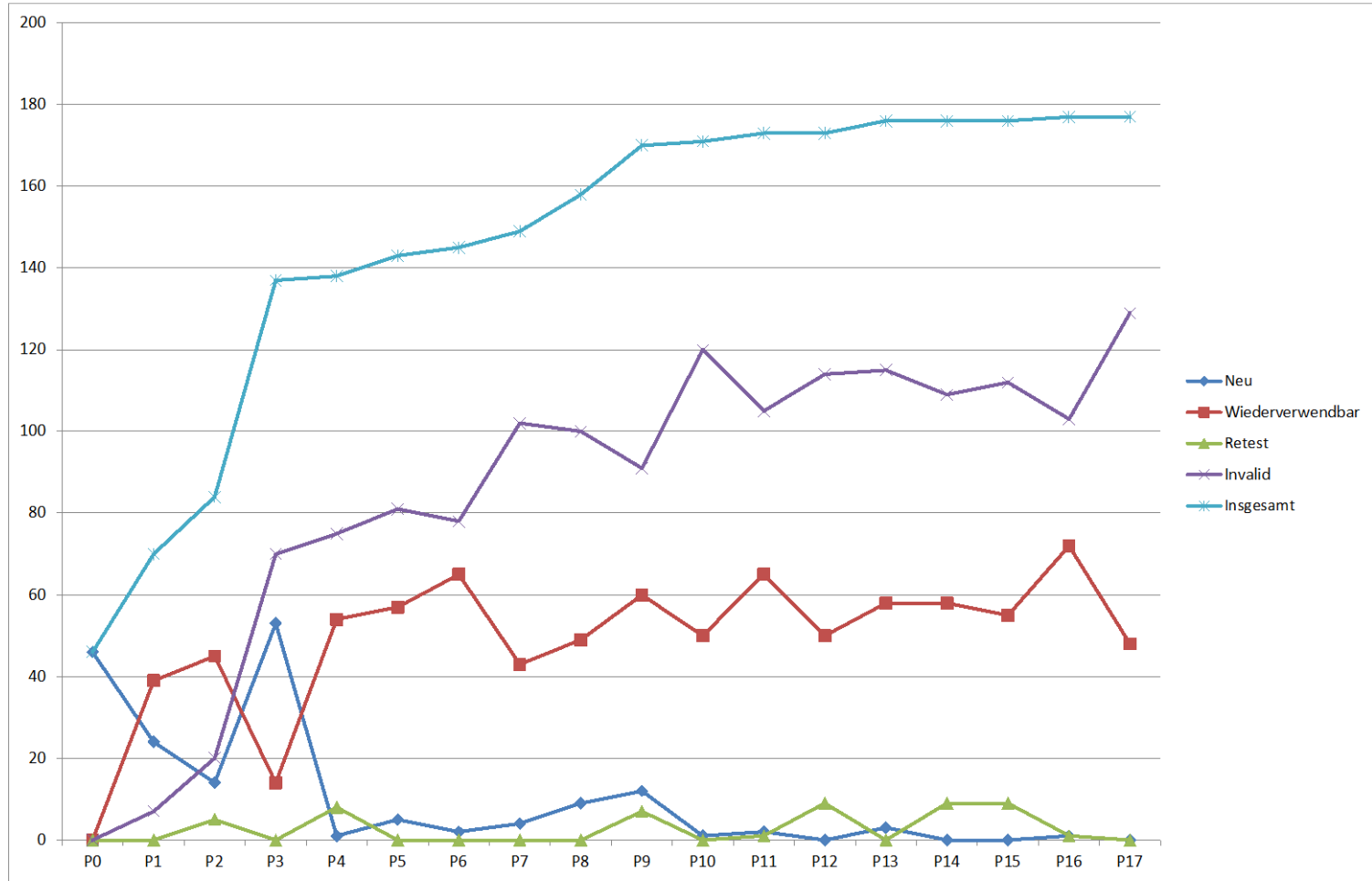
Delta-Testing Strategy



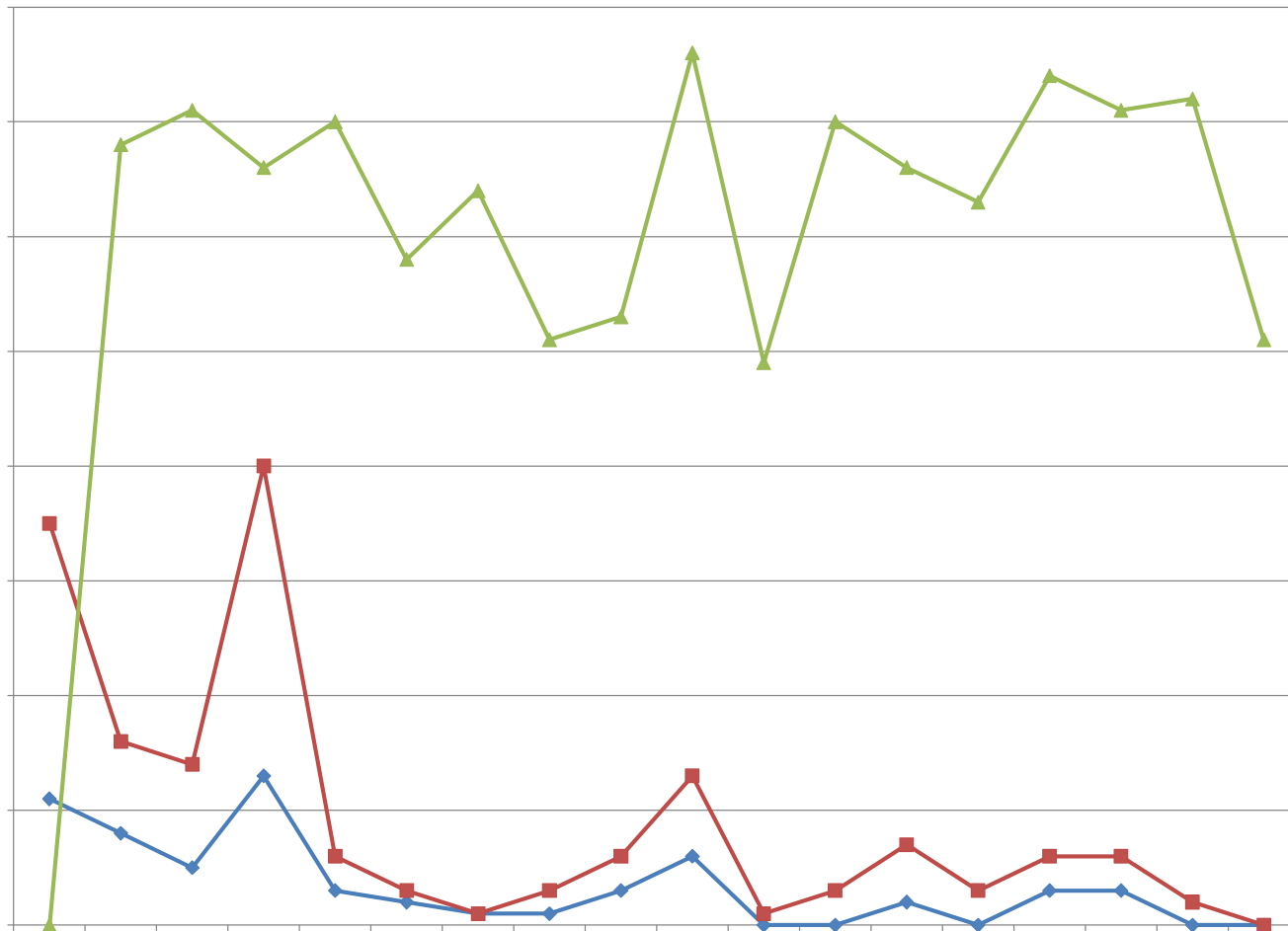
28 Features, 11616 Product Variants, 1 Core Product, 40 Deltas
16 Products for Pair-Wise Feature Coverage



Case Study BCM 2 – Delta-Testing Results



Case Study BCM 2 – Delta-Testing Results (2)



Requirements-Based Delta-oriented Testing

Requirements

BCS_R1

If an object is detected in the window (window pressure $P >$ threshold), activate the finger protection to prevent the power window from moving any further.

BCS_R2

If the central locking system is activated and the power window is not in the top position, move the power window up, until it reaches the top position.

BCS_R3

If the move down button for the power window is pressed and there is no Central locking system, move the power Window down. Otherwise, only move down if the central locking system is deactivated

BCS_R3V1
without CLS

BCS_R3V2
with CLS

BCS_R4

After the move up button has been tapped shortly (< 1 sec), the power window moves automatically up until it reaches the top position and then the movement stops.

...

BCS_Rn

Test cases

BCS_TC1

Precondition: Window is open and an object is within the window
Action: Press move up button
Expected Result: Window moves up, until it reaches the objects and stops

BCS_TC2

Precondition: CLS is activated & power window is not in top position
Action: Press move up button
Expected Result: Power window moves to the top position and stops

BCS_TC3

Precondition: No CLS installed
Action: Press move down button
Expected Result: Power window moves to the bottom position and stops

BCS_TC4

Precondition: CLS installed and deactivated
Action: Press move down button
Expected Result: Power window moves to the bottom position and stops

BCS_TC5

Precondition: Power window is at bottom position
Action: Press move up button for less then 1 second
Expected Result: Power window moves to the top position and stops

...

BCS_TCn

Possible Strategies for Re-Test Selection

- Manually by test engineer
- (Semi-)Automatical classification of test cases into variants
- Formulation of requirements in delta-sets with linking of test cases to requirements
- Model-based impact analysis of changes by delta analysis



Contents

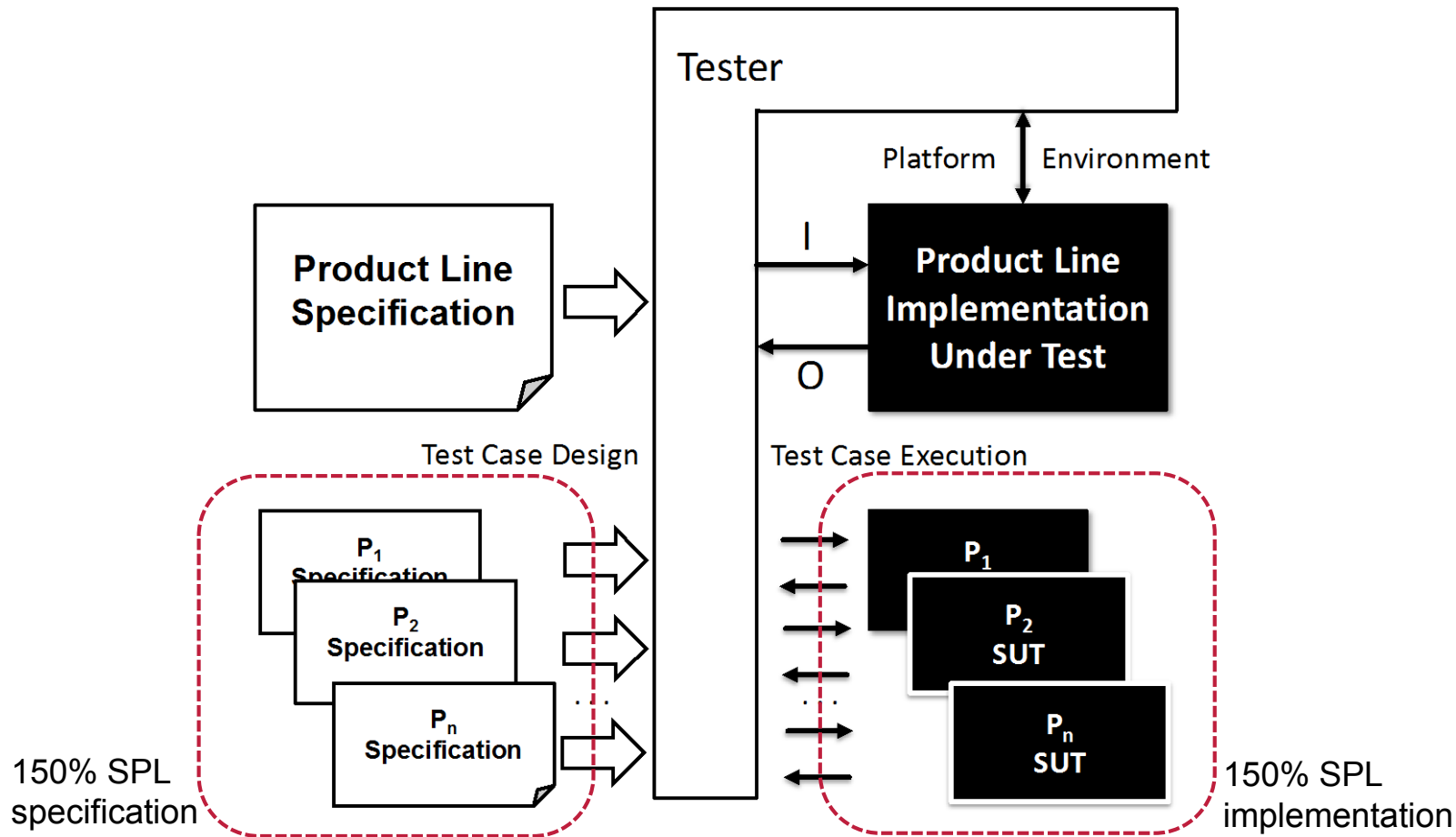
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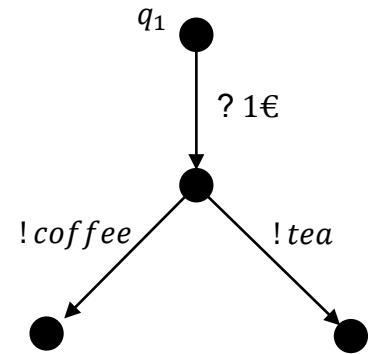
Software Product Line Testing



Meaning of Specifications

Implementation freedom in single system IOCO testing

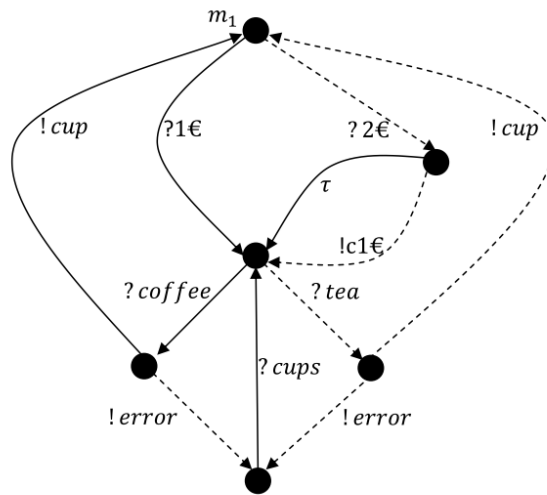
- The implementation must show **at least one** specified output behavior for specified input behaviors
- The implementation may show **arbitrary output behaviors** for unspecified input behaviors



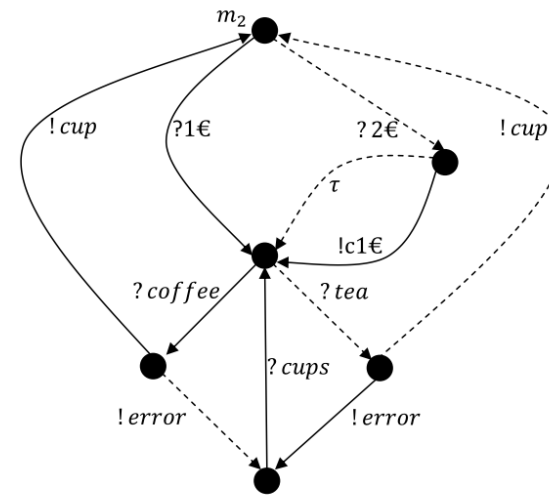
Implementation variability in SPL IOCO testing

- Distinction between **mandatory** and **possible** input/output behaviors
- SPL specification with explicit transition **modality**

Modal I/O Transition Systems



(a)



(b)

-----> may transition
 -----> must transition

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Literature

- [BCS12] - S. Lity, R. Lachmann, M. Lochau, I. Schaefer: *Delta-oriented Software Product Line Test Models - The Body Comfort System Case Study*, Technische Universität Braunschweig, 2012
- [Kang90] - Kyo C. Kang, Sholom G. Cohen, James A. Hess, William E. Novak, A. Spencer Peterson - *Feature-Oriented Domain Analysis (FODA) Feasibility Study*, Technical Report, 1990
- [Lity13] - S. Lity, R. Lachmann, M. Lochau, M. Dukaczewski, I. Schaefer: *Delta-orientiertes Testen von variantenreichen Systemen*, ObjektSpektrum, 2013