

Computational Trust

SFM'11
Bertinoro June 2011

Mogens Nielsen
University of Aarhus DK



AARHUS UNIVERSITET

Aarhus Graduate School of Science

1

Mogens Nielsen

Plan of talk

- 1) The grand challenge of Ubiquitous Computing
- 2) The role of Computational Trust in Ubiquitous Computing - a brief survey
- 3) Some results towards rigorously defined models of Computational Trust

Joint work with Sassone, Palamidessi, Krukow, Carbone, Cahill,....



AARHUS UNIVERSITET

Aarhus Graduate School of Science

2

Mogens Nielsen

Wave of Grand Challenge Initiatives

- Grand Challenges in Computer Science and Engineering
 - Computing Research Association, USA
- Fundamentals of Computer Science - Challenges and Opportunities
 - National Science Foundation, USA
- Short papers on Grand Challenges in Computer Science
 - Journal of ACM 50 (1) 2003
- 2020 Future of Computing
 - Nature, 2006
- UK Grand Challenges for Computing Research
 - EPSRC and others, currently



AARHUS UNIVERSITET

Aarhus Graduate School of Science

3

Mogens Nielsen

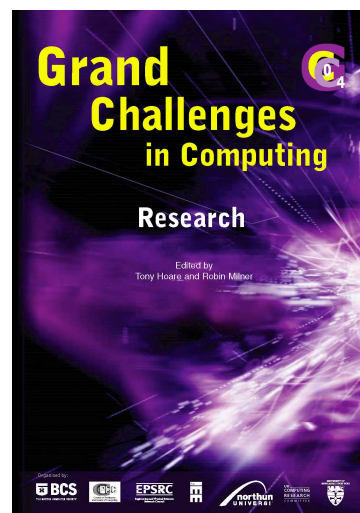
UK Grand Challenge

Engineering and Physical Sciences
Research Council

British Computer Society

Institution of Electrical Engineers

ukcrc.org.uk/grand-challenge/index.cfm



AARHUS UNIVERSITET

Aarhus Graduate School of Science

4

Mogens Nielsen

UK Grand Challenges in Computing Research

1. In Vivo \Leftrightarrow In Silico
2. Ubiquitous Computing: UbiComp
www-dse.doc.ic.ac.uk/Projects/UbiNet/GC
3. Memories for Life
4. The Architecture of Brain and Mind
5. Dependable Systems Evolution
6. Non-Classical Computation
7. Learning for Life
8. Bringing the Past to Life for the Citizen



AARHUS UNIVERSITET

Aarhus Graduate School of Science

5

Mogens Nielsen

Visions of UbiComp

- Billions of autonomous mobile networked entities
 - Mobile users
 - Mobile software agents
 - Mobile networked devices:
 - Mobile communication devices (phones, pagers, ...)
 - Mobile computing devices (laptops, palmtops, ...)
 - Commodity products (embedded devices)
- Entities will collaborate with each other
 - Resource sharing
 - Ad hoc networks, computational grids, ...
 - Information sharing
 - Collaborative applications, recommendation systems, ...



AARHUS UNIVERSITET

Aarhus Graduate School of Science

6

Mogens Nielsen

Data Security in UbiComp

- Data Security related properties of UbiComp
 - Large number of autonomous entities
 - Large number of administrative domains
 - No common trusted computing base
 - Virtual anonymity
- - excluding the use of traditional security mechanisms used in distributed systems – e.g. passwords, certificates, keys,...!
- ONE alternative approach:
Trust based data security



Computational Trust - UbiComp

- Decisions related to communication made **autonomously** based on
 - entities' behaviour, reputation, credentials,..
 - other entities' recommendations,..
 - incomplete information, contexts, mobility,...
- Decisions related to communication made **autonomously** based on
 - a suitable *computational* notion of trust in order to achieve some required properties of communication between entities



Plan of talk

- 1) The grand challenge of Ubiquitous Computing
- 2) The role of Computational Trust in Ubiquitous Computing - a brief survey
- 3) Some results towards rigorously defined models of Computational Trust



Trust Surveys

- Trust in the Social Sciences
 - D. H. McKnight, N.L. Chervany: *The Meaning of Trust*, Trust in Cyber-societies, Springer LNAI 2246, 2001



McKnight and Chervany

▪ TRUST

- Disposition
- Structural
- Affect/Attitude
- Belief/Expectancy
- Intention
- Behaviour

▪ TRUSTEE

- Competence
- Benevolence
- Integrity
- Predictability
- Openness, carefulness,..
- People, Institutions,...



Computational Trust Surveys

▪ Computational Trust in UbiComp

- T. Grandison, M. Sloman: *A Survey of Trust in Internet Applications*, IEEE Communications Surveys & Tutorials, 3(4), 2000
- J. Sabater, C. Sierra: *Review on Computational Trust and Reputation Models*, Artificial Intelligence Review, 24, 33-60, 2005
- A. Jøsang, R. Ismail, C. Boyd: *A Survey of Trust and Reputation for Online Service Provision*, Decision Support Systems, 43(2), 2006



Jøsang et al: Computational Trust

- Find adequate **online substitutes** for the traditional cues to trust and reputation from the physical world and identify information elements (specific to a particular online application) which are suitable for deriving measures of trust and reputation
- Take advantage of IT and the internet to create efficient systems for collecting that information, and for **deriving measures of trust and reputation**, in order to support decision making and to improve the quality of online markets



Jøsang et al: Trust semantics

- Trust values:
 - Discrete trust values
 - Summation or average of ratings
 - Probabilistic systems
 - Belief models
 - Fuzzy models
 - Flow models



Jøsang et al: Commercial systems

- Specific versus General
- Subjective versus Objective
- eBay's Feedback Forum
- Amazon
- Google Page Ranking



Computational Trust Applications

- Information **provider** applying trust in **requesters**
 - e.g. should I allow requester R to access my resource r ?
 - Data security, Access control,...
- Information **requester** applying trust in **providers**
 - e.g. which of providers P, Q, R, \dots will provide the best service s for me?
 - Quality of services,...



Computational Trust Systems

- *Credential based*
 - the *KeyNote System* of Blaze et al
 - the *Delegation Logic* of Li et al
 -
- *Reputation based*
 - the *Beta Reputation System* of Jøsang et al
 - the *Eigentrust System* of Kamvar et al
 -



Computational Trust

- Trust formation
 - Individual experience
 - Recommendation from known (trusted) third parties
 - Reputation (recommendation from many strangers)
- Trust evolution
 - Incorporating new trust formation data
 - Expiration of old trust values
- Trust exploitation
 - Risk analysis
 - Feedback based on experience
 - Context dependence



UbiComp Challenges

- Science Goal
 - to **develop a coherent informatics science** whose concepts, calculi, models, theories and tools allow descriptive, explanatory and predictive analysis of ubiquitous computing at many levels of abstraction
 - to **employ these theories** to derive all its systems and software, including languages
 - to **analyse and justify** all its constructions by these theories and tools



UbiComp: *Computational* Trust

- On *trust*:

"..*trust* between autonomous agents will be an important ingredient..... A discipline of trust will only be effective if it is *rigorously defined*..."
- On *rigorously defined*:

"...tools for formalization, specification, validation, analysis, diagnosis, evaluation,"



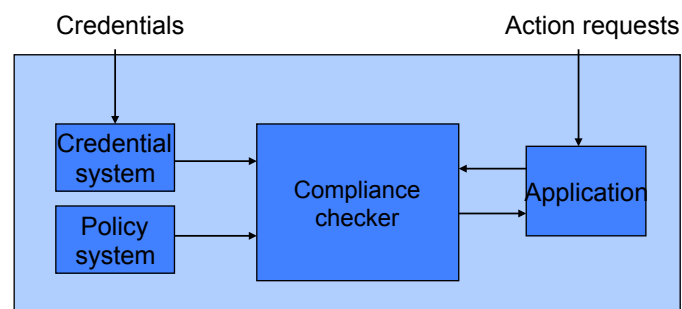
Plan of talk

- 1) The grand challenge of Ubiquitous Computing
- 2) The role of Computational Trust in Ubiquitous Computing - a brief survey
- 3) Some results towards rigorously defined models of Computational Trust
 - a) Trust in requesters – based on credentials
 - b) Trust in providers – based on reputation



Trust in Requesters – Based on Credentials

Trust Management - Blaze, Feigenbaum et al



Trust management elements

- Language for Actions
- Naming scheme for Principals
- Language for Trust-Policies
- Language for Credentials
- Compliance checker and interface
- Blaze, Feigenbaum, Ioannidis, Keromytis: *The Role of Trust Management in Distributed Systems Security*, Springer LNCS 1603, 185-210, 1999
- Li, Mitchell: *A Role-based Trust-management Framework*, DISCEX III, IEEE Computer Society Press, 2003



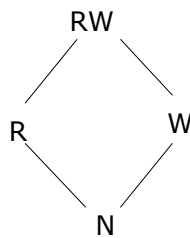
Trust policies

- Each principal defines a trust policy which declares how it computes its trust in every other principal
- A small policy language could have constructs like
 - Refer to the information registered locally
 - Refer to information registered by other principals
 - Refer to the information P would obtain if it were to compute its trust
 - Other operations...



Example: A simple trust setting

- Let \mathcal{T} be $\{N, R, W, RW\}$



Example trust policies

$b: \lambda x. (x=c \Rightarrow W, \dots)$ abstraction

$a: \lambda x. ([b]x \vee R)$ referencing

$a: \lambda x. (([a]b \wedge [b]x) \vee R)$ discounting

$a: \lambda x. ([b]x)$

$b: \lambda x. ([a]x)$ cyclic delegation



Modeling Trust

- Scenario with
 - A set \mathcal{P} of principals (ranged over by a, b, c)
 - A set \mathcal{T} of trust values
- Trust information of a system represented by
 - $\text{trust-state}: \mathcal{P} \rightarrow \mathcal{P} \rightarrow \mathcal{T}$
 - $\text{trust-state}(A)(B)$: represents A's trust in B



Modeling the web of Trust

Each Principal specifies a *policy*
which is a local contribution to the global trust

Given principals a with policies π_a :

$$\pi_a : [\mathcal{P} \rightarrow \mathcal{P} \rightarrow \mathcal{T}] \rightarrow [\mathcal{P} \rightarrow \mathcal{T}]$$

The collection of π_a 's induces a global trust function:

$$\Pi : [\mathcal{P} \rightarrow \mathcal{P} \rightarrow \mathcal{T}] \rightarrow [\mathcal{P} \rightarrow \mathcal{P} \rightarrow \mathcal{T}]$$



Definition of Trust

Assume T is a lattice/cpo, given a \leq -continuous global trust function

$$\Pi : [\mathcal{P} \rightarrow \mathcal{P} \rightarrow \mathcal{T}] \rightarrow [\mathcal{P} \rightarrow \mathcal{P} \rightarrow \mathcal{T}]$$

TRUST is defined as the *least fixed-point* of Π

Weeks: *Understanding Trust Management Systems*,
IEEE Symposium on Security and Privacy, 2001



Lattices and continuity

In a *complete lattice* $T = (D, \leq)$ all subsets X of D have a least upper bound $\cup X$ and a greatest lower bound $\cap X$

$F : D \rightarrow D$ is \leq -continuous iff $F(\cup X) = \cup F(X)$
implying that F is \leq -monotone

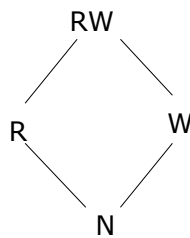
$F : D \rightarrow D$ is \leq -monotone iff $x \leq y \Rightarrow F(x) \leq F(y)$

For $F : D \rightarrow D$ \leq continuous, the least fixed point of F exists
and is equal to $\cup F(\perp)$



Example: A simple trust setting

- Let \mathcal{T} be $\{N, R, W, RW\}$



Example (1)

- Suppose we have the following policies:

	a	b	c
d	$[f] \vee w$	$[e] \wedge w$	N
e	R	R	$[f]$
f	$[e]$	N	$[e]$



Example (2)

- The computation:

	a	b	c
d	$[f] \vee w$	$[e] \wedge w$	N
e	R	R	$[f]$
f	$[e]$	N	$[e]$

	a	b	c
d	$[N, RW]$	$[N, RW]$	$[N, RW]$
e	$[N, RW]$	$[N, RW]$	$[N, RW]$
f	$[N, RW]$	$[N, RW]$	$[N, RW]$



Example (3)

- The computation:

	a	b	c
d	$[f] \vee w$	$[e] \wedge w$	N
e	R	R	$[f]$
f	$[e]$	N	$[e]$

	a	b	c
d	$[W, RW]$	$[N, W]$	$[N, N]$
e	$[R, R]$	$[R, R]$	$[N, RW]$
f	$[N, RW]$	$[N, N]$	$[N, RW]$



Example (4)

- The computation:

	a	b	c
d	$[f] \vee w$	$[e] \wedge w$	N
e	R	R	$[f]$
f	$[e]$	N	$[e]$

	a	b	c
d	$[W, RW]$	$[N, N]$	$[N, N]$
e	$[R, R]$	$[R, R]$	$[N, RW]$
f	$[R, R]$	$[N, N]$	$[N, RW]$



Example (5)

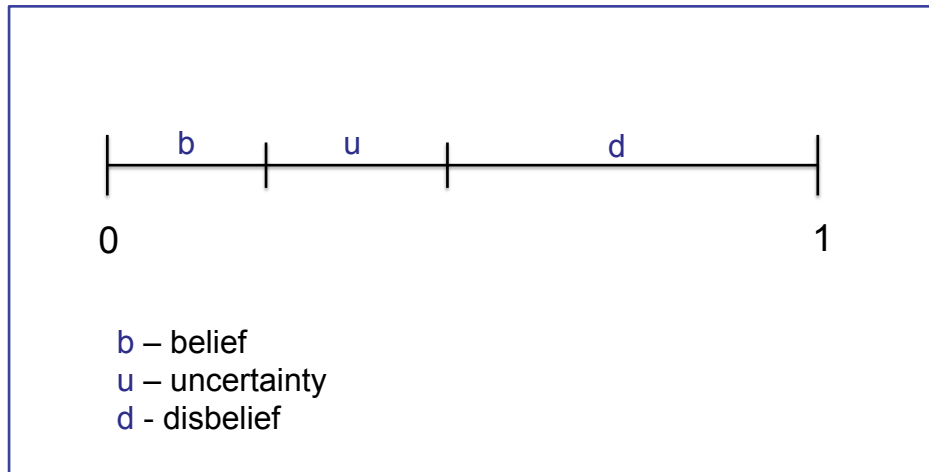
- The computation:

	a	b	c
d	$[f] \vee w$	$[e] \wedge w$	N
e	R	R	$[f]$
f	$[e]$	N	$[e]$

	a	b	c
d	$[RW, RW]$	$[N, N]$	$[N, N]$
e	$[R, R]$	$[R, R]$	$[N, RW]$
f	$[R, R]$	$[N, N]$	$[N, RW]$



Belief Models



Trust domain

- T is equipped with two orderings \leq and \leq where
- \leq represents information ordering
- \leq represents trust ordering



Example: Proof carrying requests

- Idea: Assume r sending a request to a , requiring *high* trust

$a: \lambda x. ([b]x \vee \dots)$

$b: \lambda x. (x=r \Rightarrow \text{high}, \dots)$



Example: Proof carrying request

Theorem

Assume that \leq is \leq -continuous
and that Π is \leq -monotone

Given $m: \mathcal{P} \rightarrow \mathcal{P} \rightarrow \mathcal{T}$, if

- $m \leq \perp_{\leq}$
- $m \leq \Pi(m)$

then $m \leq \text{lfp}_{\leq} \Pi$



Example: Proof carrying request

- *Idea:* Requester provides m along with his request (sufficient for the request to be met) as an argument for $m \leq \text{lfp}_{\leq} \Pi$
- Send m to all principals a for which $m(a)$ is different from $\lambda p. \perp_{\leq}$, and ask a to check that $m \leq \pi_a(m)$
- If this is the case for all such principals, conclude that $m \leq \Pi(m)$, and hence $m \leq \text{lfp}_{\leq} \Pi$



Example: Proof carrying requests

- *Idea:* Assume r sending a request to a , requiring *high* trust

$a: \lambda x. ([b]x \vee \dots)$

$b: \lambda x. (x=r \Rightarrow \text{high}, \dots)$



Trust in Providers – Based on Reputations

EigenTrust Algorithm - Kamvar et al

- Peers (i,j,..) interact and mutually rate interactions as being either *satisfactory* or *unsatisfactory*:
 - $s_{ij} = \max (N_{sat}(i,j) - N_{unsat}(i,j), 0)$
- These ratings are normalised
 - $c_{ij} = s_{ij} / \sum_j s_{ij}$
- $[c_{ij}]$ is a Markov chain with stationary distribution $[t_j]$
 - interpreted as the global trust in peer j



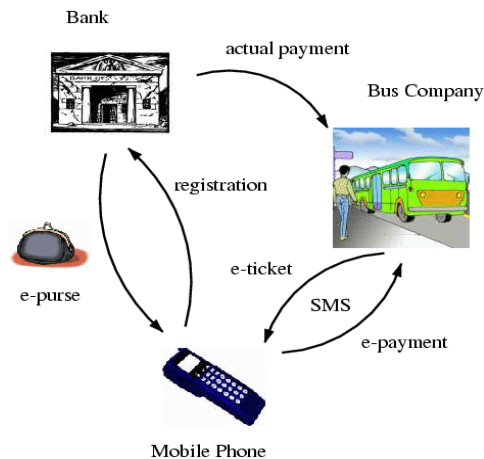
EigenTrust Algorithm for P2P Networks

- System simulations show that EigenTrust can significantly reduce the number of non-authentic file downloads in a P2P filesharing system, even when up to 70% of the peers maliciously cooperate
- But what is Eigentrust computing, - e.g. what does it mean that the trust in some peer is .75?
- Kamwar, Schlosser, Garcia-Molina: The Eigentrust Algorithm for Reputation Management in P2P Networks, proceedings of WWW'03, ACM Press, 640-651, 2003



Trust in Providers – Based on Reputations

Beta Reputation - Jøsang et al

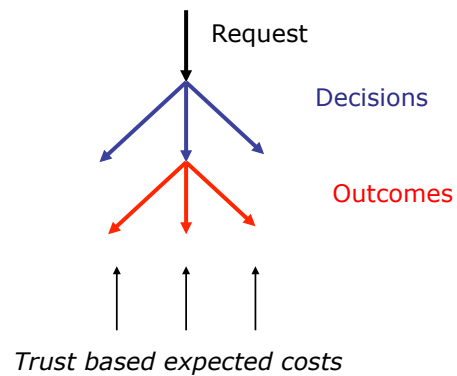


E-Purse Scenario

- Consider a situation where a user is considering requesting an amount m of e-cash from a bank
- Seen from the point of view of the user, an "untrusted" bank may
 - deny the request, e.g. because the bank server is down for maintenance
 - grant the request, but withdraw an amount different from m from users account
 - grant the request, but the transferred e-cash may be forged



Trust/Risk Based Decisions



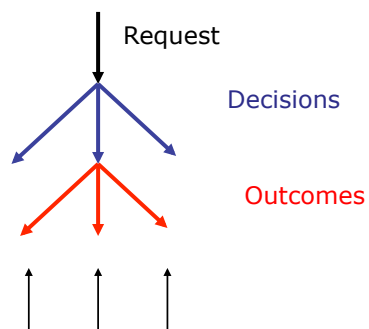
AARHUS UNIVERSITET

Aarhus Graduate School of Science

47

Mogens Nielsen

Probabilistic Computational Trust



$$\text{exp} = \sum_i \text{cost}(o_i) * \text{likelihood}(o_i)$$



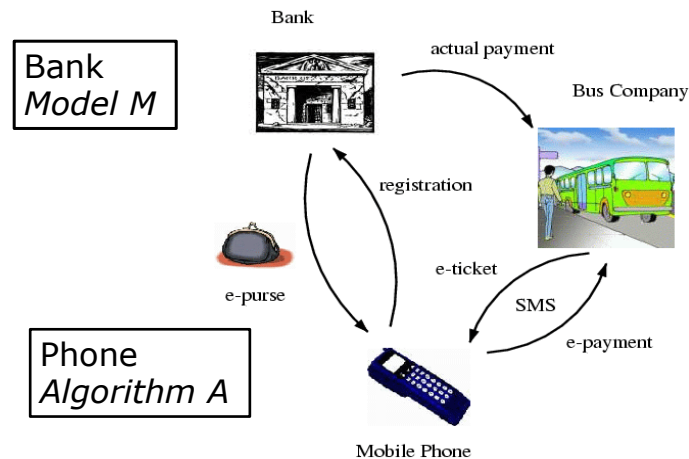
AARHUS UNIVERSITET

Aarhus Graduate School of Science

48

Mogens Nielsen

Models and Algorithms



Probabilistic Models for Computational Trust

- Given a (finite) set of outcomes of interactions
 - $O = \{o_1, o_2, \dots, o_m\}$
- A probabilistic model M of principal behaviour defines for $h \in O^*$ and $o_i \in O$
 - $P(h \mid M)$ - the probability of observing h in M
 - $P(o_i \mid h \text{ in } M)$ - the probability of o_i in the next interaction given observation h in M



Probabilistic Computational Trust Algorithms

- Given a (finite) set of outcomes of interactions
 - $O = \{o_1, o_2, \dots, o_m\}$
- A probabilistic computational trust algorithm A
 - takes as input a history $h \in O^*$ and
 - outputs a probability distribution on O
 $A(o_i \mid h) \in [0,1]$ for $i = 1, 2, \dots, m$



The Goal for Probabilistic Trust Algorithms

- Algorithm A producing $A(o_i \mid h)$ should approximate Model M probabilities $P(o_i \mid h \mid M)$ as well as possible!
- Notice that this gives rise to **rigid** versions of **soft** correctness question:
 - **how well** does a particular algorithm approximate the model?
 - **how robust** is it - wrt. the model and its parameters?



A Concrete Simple Probabilistic Model

- The Bernoulli Model – $M_B(\theta)$
 - Assume that the behaviour of a particular principal, p , has only two outcomes, with a probability θ for *success* (and $1 - \theta$ for *failure*)
- Algorithm A
 - Output: a probability distribution $\{s, f\} \rightarrow [0, 1]$
- The Goal
 - A should approximate $(\theta, 1 - \theta)$ as well as possible



Probabilistic Trust Algorithms

- Focus on two example algorithms:
 - P2P Reputation Management of Despotovic et al
 - Computational Model for eBusiness of Mui et al



Despotovic et al 2004: *Algorithm A_D*

- The Specification (of trust computation algorithm A)
 - Input: a sequence of observations $h = x_1x_2..x_n \in \{s, f\}^*$
 - Output: a probability distribution $\{s, f\} \rightarrow [0, 1]$
- The algorithm A_D for $M_B(\theta)$
 - $A_D(s \mid h) = N_s(h) / |h|$
 - $A_D(f \mid h) = N_f(h) / |h|$
- Despotovic, Aberer: A Probabilistic Approach to Predict Peers' Performance in P2P Networks, CIA'04, Springer LNCS 3192, 62-76, 2004



Mui et al 2002: *Algorithm A_M*

- The Specification (of trust computation algorithm A)
 - Input: a sequence of observations $h = x_1x_2..x_n \in \{s, f\}^*$
 - Output: a probability distribution $\{s, f\} \rightarrow [0, 1]$
- The algorithm A_M :
 - $A_M(s \mid h) = (N_s(h) + 1) / (|h| + 2)$
 - $A_M(f \mid h) = (N_f(h) + 1) / (|h| + 2)$
- Mui, Motashemi, Halberstadt: A Computational Model of Trust and Reputation for eBusinesses, HICSS'02, IEEE Press, 2002



A Question: how to choose

- The Goal
 - Algorithm A should approximate $(\theta, 1 - \theta)$ as well as possible
- Which of the two algorithms A_D and A_M performs best relative to this goal?
 - *Experimental approach*: answers given based on experiments in simulation environments
 - *Theoretical approach*: answer given in terms of mathematical results in our probability model



How to measure “approximate”?

- The “distance from a true distribution \mathbf{p} to an approximation \mathbf{q} ” (here on $O = \{o_1, o_2, \dots, o_m\}$) can be measured as e.g.
 - the **Relative Entropy** (also called the Kullback-Leibler divergence):
$$D(\mathbf{p} || \mathbf{q}) = \sum_i \mathbf{p}(o_i) \times \log_2(\mathbf{p}(o_i) / \mathbf{q}(o_i))$$
 - $$D(\mathbf{p} || \mathbf{q}) = \sum_i (\mathbf{p}(o_i) - \mathbf{q}(o_i))^2$$
- Results holds for e.g. both these choices



The Goal of a Probabilistic Algorithm: Formally

- The Goal
 - Algorithm A producing $A(o_i | h)$ should approximate $P(o_i | h, M)$ as well as possible
- We choose to interpret “as well as possible” in terms of the expected distance between the two distributions:

$$ED^n(\mathbf{M} || \mathbf{A}) = \sum_{h \in \mathcal{O}^n} p(h | \mathbf{M}) \times D(P(\cdot | h, \mathbf{M}) || \mathbf{A}(\cdot | h))$$



How to choose: Formally

- Comparing A_D and A_M against M_B :

If $\theta = 0$ or $\theta = 1$ then for all n

$$ED^n(M_B(\theta), A_D) = 0 < ED^n(M_B(\theta), A_M)$$

If $0 < \theta < 1$ then for all n

$$ED^n(M_B(\theta), A_M) < ED^n(M_B(\theta), A_D) = \infty$$



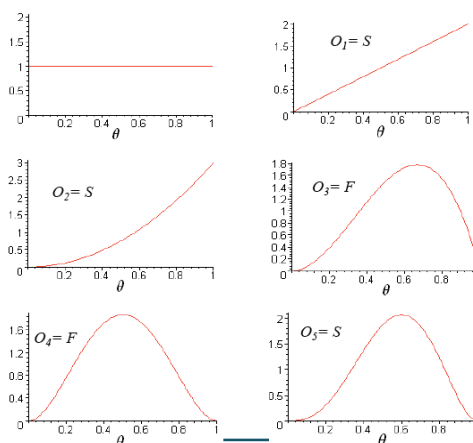
Bayesian Approach

- Bayes' theorem:

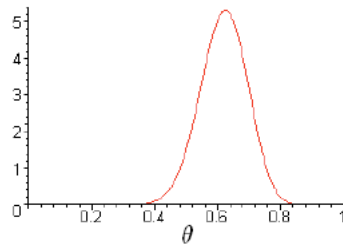
$$P(\theta \mid h, M) = P(\theta \mid M) \times (P(h \mid \theta, M) / P(h \mid M))$$
- For the model M_B choosing
 - $P(\theta \mid M_B) = \text{Beta}(a, \beta)(\theta)$
 - $\text{Beta}(a, \beta)(\theta) = \theta^{a-1} (1-\theta)^{\beta-1} \Gamma(a+\beta) / \Gamma(a) \Gamma(\beta)$
- Allows the following simple "algorithms" computing the a posteriori information
 - $P(\theta \mid h, M_B) = \text{Beta}(a + N_s(h), \beta + N_f(h))$
 - $E(\text{Beta}(a, \beta)) = a / (a + \beta)$



Beta (a, β)



Beta (α, β) – after 25 “S” and 15 “F”



Two Examples Generalised

- A_D the P2P Reputation Management of Despotovic et al
 - an example of the Bayesian approach with $\alpha=\beta=0$
- A_M the Computational Model for eBusiness of Mui et al
 - an example of the Bayesian approach with $\alpha=\beta=1$
- Generalize to all symmetric Beta priors, i.e. for arbitrary real numbers $\varepsilon \geq 0$:
 - $A_\varepsilon(s \mid h) = (N_s(h) + \varepsilon) / (|h| + 2\varepsilon)$
 - $A_\varepsilon(f \mid h) = (N_f(h) + \varepsilon) / (|h| + 2\varepsilon)$
- What is a good choice of ε - and how does this choice depend on θ and n ?



Some Theoretical Answers: how to choose

For any $\theta \in [0,1]$, $\theta \neq 1/2$, there exists an ε_θ which for any n minimizes $ED^n(M_B(\theta), A_\varepsilon)$. Furthermore, ε_θ is defined as the following function of θ

$$\varepsilon_\theta = 2\theta(1-\theta) / (2\theta-1)^2$$

Meaning: unless behaviour is completely random, there is a unique best algorithm (choosing $\varepsilon := \varepsilon_\theta$) outperforming all other A_ε algorithms, $\varepsilon \geq 0$



Some Theoretical Answers: *Robustness*

Furthermore, $ED^n(M_B(\theta), A_\varepsilon)$ is continuous (as a function of ε) – decreasing on the interval $(0, \varepsilon_\theta)$ and increasing on $(\varepsilon_\theta, \infty)$

Meaning: The closer ε is to ε_θ the better performance of A_ε



Some Theoretical Answers: how to choose

Given a particular ε , the algorithm A_ε is an optimal choice (for all n , and amongst all the A_ε algorithms) for

$$\theta = \frac{1}{2} \pm \frac{1}{2\sqrt{2\varepsilon+1}}$$

Example: A_M is optimal for $\theta = \frac{1}{2} \pm \frac{1}{\sqrt{12}}$



Non-symmetric priors

- Using the prior $Beta(a, \beta)$ yields the following algorithm computing the mean of the posterior distribution:

- $A_{a,\beta}(s | h) = (N_s(h) + a) / (|h| + a + \beta)$

- $A_{a,\beta}(f | h) = (N_f(h) + \beta) / (|h| + a + \beta)$

- How to choose the parameters a and β ?



Non-symmetric priors

- Assume the true behaviour (M_B) to be $Beta(a_t, \beta_t)$, define the "risk" of an algorithm $A_{a,\beta}$

- $R^n(A_{a,\beta}) = \int_{[0,1]} Beta(a_t, \beta_t) ED^n(M_B(\theta), A_{a,\beta}) d\theta$

- Theorem*

For all n , $R^n(A_{a,\beta})$ is minimum for $a = a_t$ and $\beta = \beta_t$



Non-symmetric priors

- Assume no knowledge of the true behaviour (θ in M_B), define the "risk" of an algorithm $A_{a,\beta}$

- $R^n(A_{a,\beta}) = \int_{[0,1]} ED^n(M_B(\theta), A_{a,\beta}) d\theta$

- Theorem*

For all n , $R^n(A_{a,\beta})$ is minimum for $a = \beta = 1$



Many More Issues to be Modelled....

- Trust formation
 - Individual experience
 - Recommendation from known (trusted) third parties
 - Reputation (recommendation from many strangers)
- Trust evolution
 - Incorporating new trust formation data
 - Expiration of old trust values
- Trust exploitation
 - Risk analysis
 - Feedback based on experience
 - Context dependence



Some Publications

- ElSalamouny, Nielsen, Sassone, HMM-based Trust Model, FAST'09, Springer LNCS 5893, 21-35, 2010
- Krukow, Nielsen, Sassone: Probabilistic Computational Trust, Perspectives in Concurrency Theory, Universities Press, 295-316, 2009
- Nielsen, Krukow, Sassone: *Trust Models in Ubiquitous Computing*, Phil. Trans. of the Royal Society, Volume 366, Number 1881, 3781-3793, 2008
- Nielsen, Krukow, Sassone: *A Bayesian Model for Event-based Trust*, Electronic Notes in Theoretical Computer Science, vol. 172, 499-521, 2007
- Krukow, Nielsen: *From Simulations to Theorems*, FAST'06, Springer LNCS, 96-111, 2007



Some more Publications

- Nielsen, Krukow, Sassone: *A Logical Framework for Reputation Systems*, Journal of Computer Security, vol. 16 nr. 1, 63-101, 2007
- Nielsen, Krukow, Sassone: *Towards a Formal Framework for Computational Trust*, 5th International Symposium on Formal Methods for Components and Objects, Springer, 175-184, 2007
- Nielsen, Krukow, 2007, *Trust Structures*, International Journal of Information Security, vol. 6 nr. 2-3, 153-181, 2007
- Krukow, Nielsen, Sassone: *A Framework for Concrete Reputation-Systems with Applications to History-Based Access Control*, CCS'05, ACM Press, 2005



Some more Publications

- Carbone, Nielsen, Sassone: *A Calculus for Trust Management*, FSTTCS'04, Springer LNCS 3328, 2004
- Nielsen, Krukow: *On the Formal Modeling of Trust in Reputation-Based Systems*, Springer LNCS 3113, 2004
- Nielsen, Krukow: *Towards a Formal Notion of Trust*, PPDP'03, IEEE, 2003
- Carbone, Nielsen, Sassone: *A Formal Model for Trust in Dynamic Networks*, SEFM, IEEE, 2003
- Cahill, Shand, Gray, Dimmock, Twigg, Bacon, English, Wagaella, Terzis, Nixon, Bryce, Seigneur, Carbone, Krukow, Jensen, Chen, Nielsen: *Using trust for Secure Collaboration in Uncertain Environments*, IEEE Pervasive Computing, 2003



References – Reputation Based Trust

- Despotovic, Aberer: A Probabilistic Approach to Predict Peers' Performance in P2P Networks, proceedings of CIA'04, Springer LNCS 3192, pp 62-76, 2004
- Mui, Motashemi, Halberstadt: A Computational Model of Trust and Reputation for eBusinesses, proceedings of HICSS'02, IEEE Press, 2002
- Kamwar, Schlosser, Garcia-Molina: The Eigentrust Algorithm for Reputation Management in P2P Networks, proceedings of WWW'03, ACM Press, pp 640-651, 2003
- Jøsang, Ismail: *The Beta Reputation System*, 15th Conference on Electronic Commerce, 2002
- Shmatikov, Talcott: *Reputation-Based Trust Management*, Journal of Computer Security, 2005



Thank you for your attention!

